

**J. Pozimski**

## **Low Energy Beam Transport (LEBT)**

- 1) Principles and transport systems
- 2) Space charge compensation and space charge lenses
- 3) Beam diagnostics



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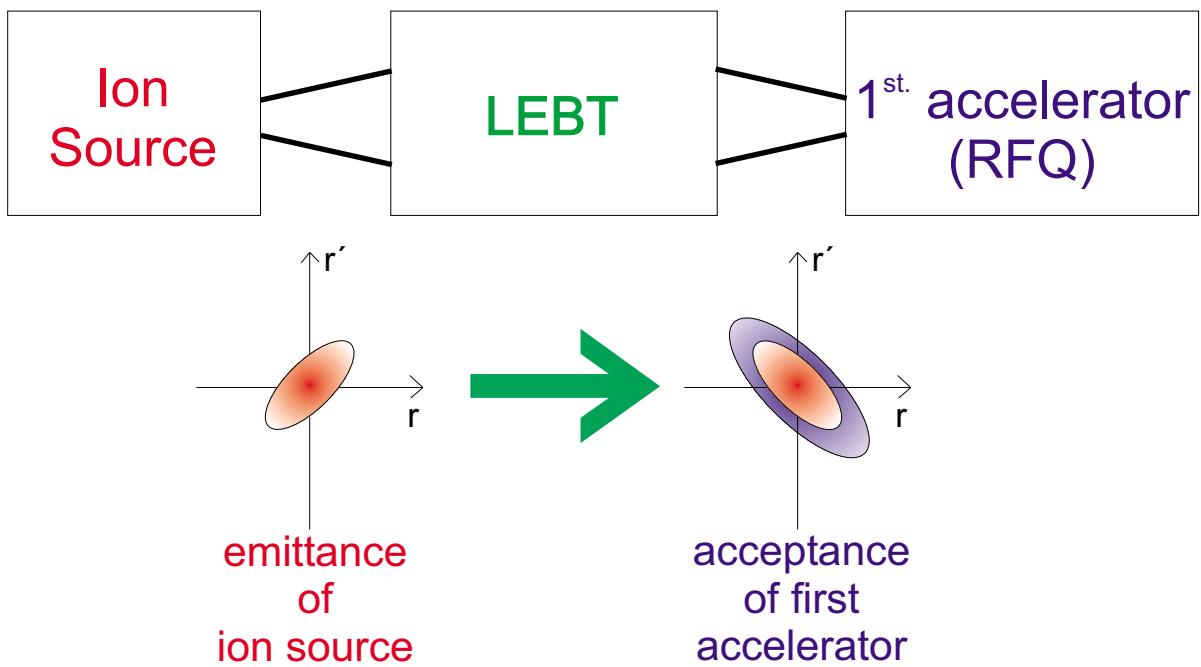
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# Low Energy Beam Transport Principles and transport systems

- \* Introduction
- \* Envelopeequation
- \* Space charge
- \* Emittance growth
- \* Residual gas interaction
- \* Lens systems
  - el. static / magnetic
  - cylindersymmetric / quadrupol
- \* Examples



# What is Low Energy Beam Transport ?



"The transformation of the emittance delivered by the ion source into the acceptance of the first accelerator structure."

## Questions :

Are there particle losses ?

or

Which factors have influence on the transmission ?

How does the transformation influences the beam quality ?

or

What are the sources of emittance growth ?



# How does Low Energy Beam Transport differ from other transport systems ?

The transmission is influenced by :

optical system (focussing force)  
**space charge forces**  
residual gas pressure

...

The emittance growth is influenced by :

optical system (lens aberrations)  
**space charge forces**  
current fluctuations

...



# How can we describe the beam transport physically ?

neglecting collisions  
and  
emittance growth

## Envelopeequation

$$\frac{d^2 X}{dz^2} = \frac{\langle \varepsilon_{rms,x} \rangle^2}{X^3} + \frac{K}{2(X+Y)} - k_x^2 X$$

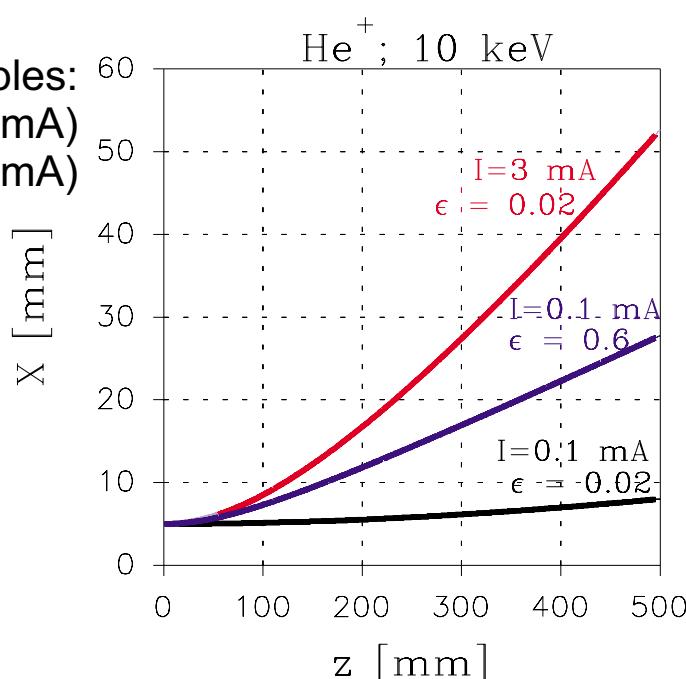
emittance

lenses

gen. permeance (space charge)

$$K = \frac{\Delta U}{U} = \left( \frac{1}{4\pi\varepsilon_0} \sqrt{\frac{Am}{2e\xi}} \right) \frac{I}{U^{3/2}}$$

Examples:  
(H / 50 kV / 70 mA)  
(H / 100 kV / 200 mA)



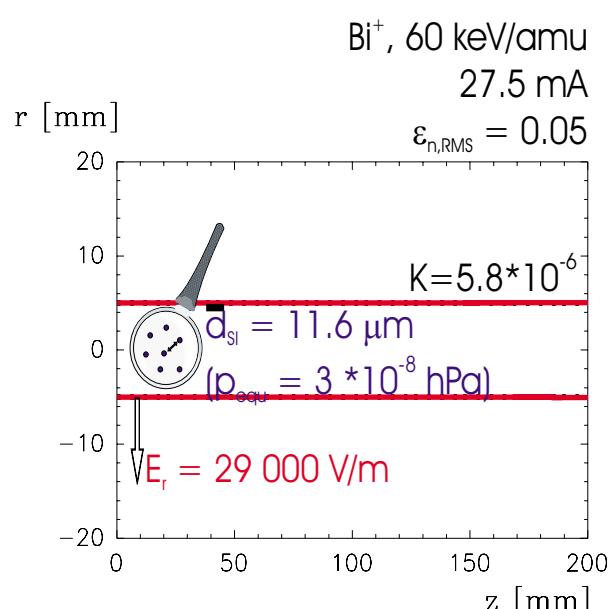
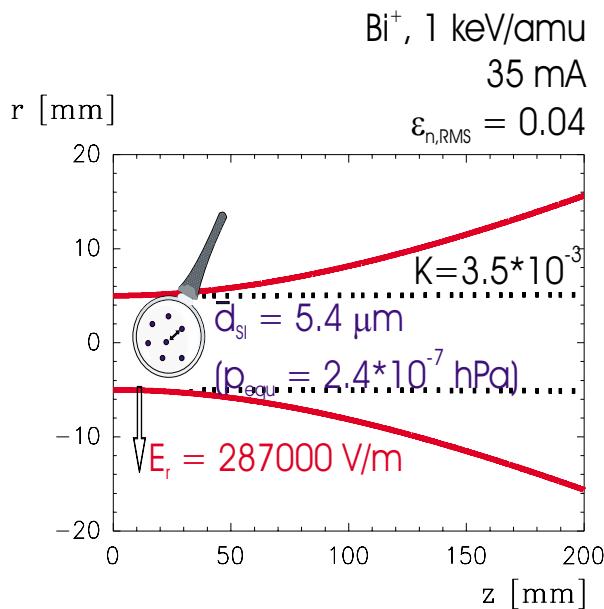
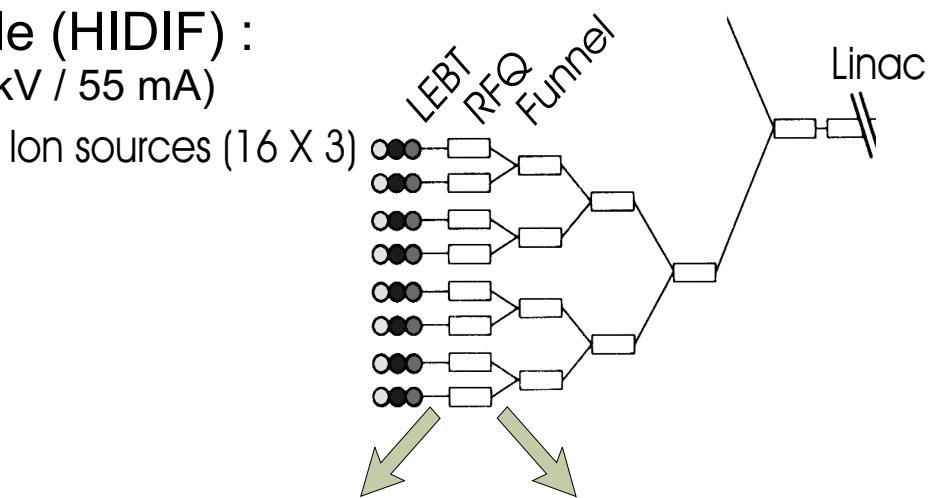


## Space charge generalized perveance:

$$K = \left( \frac{1}{4\pi\epsilon_0} \sqrt{\frac{Am}{2e\zeta}} \right) \frac{I}{U_B^{3/2}} = \frac{\Delta\Phi_{KV}}{U_B}$$

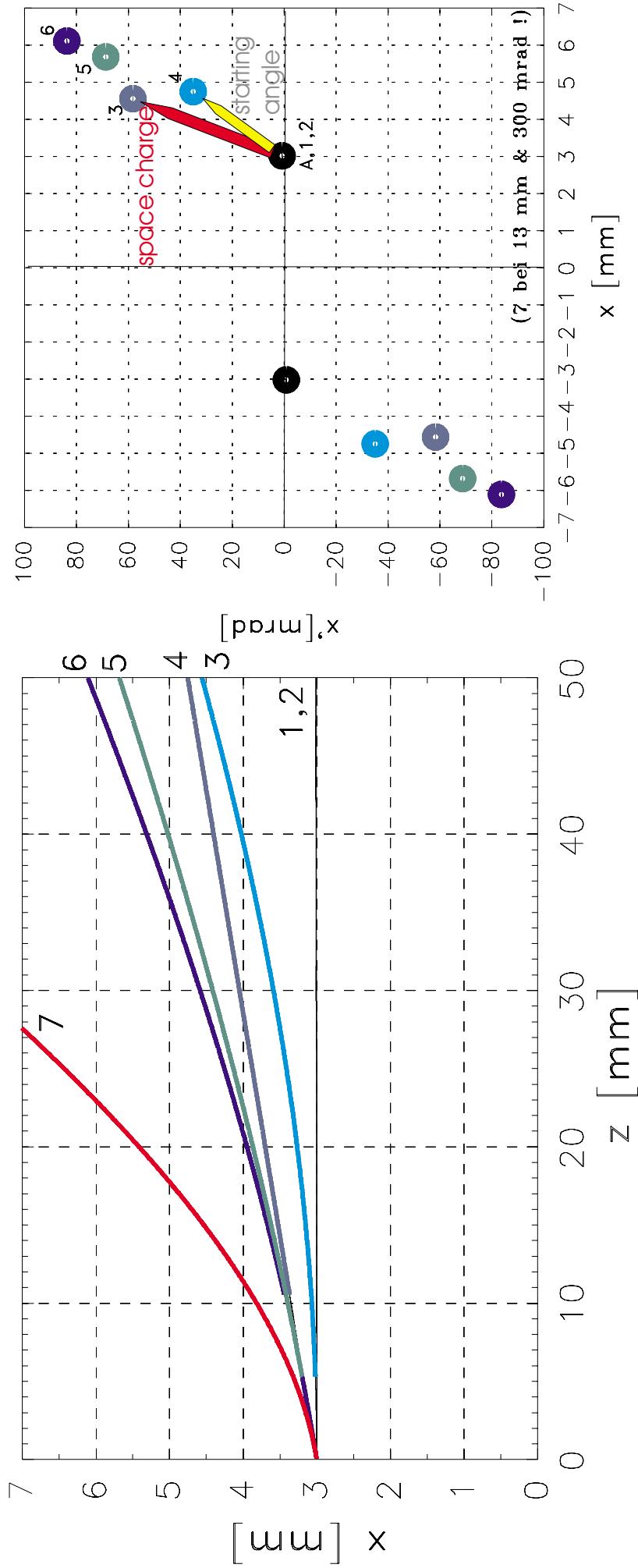
Why is space charge so dominant in the low energy section ?

**Example (HIDIF) :**  
(~H / 50 kV / 55 mA)





# Influence of space charge on beam transport and emittance calculated for beamdrift



(1-4 & 6 IFMIF( $D^+$ , 100 keV, 140 mA and different starting conditions),  
5 SNS ( $H^-$ , 65 keV, 70 mA), 7 Bi-Injektor ( $Bi^+$ , 100 keV, 100 mA)



## Emittance growth is influenced by various factors:

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### 1 ) Source plasma /plasma sheeth

- \* **plasma temperature / plasma potential**

"The kinetic energy distribution of the ions is preserved in the beam extraction and defining the minimum source emittance."

- \***plasma uniformity / plasma sheeth**

"Variations of the real plasma sheeth from the ideal form due to radial or azimuthal deviations of plasma density will lead to additional emittance growth."

### 2) Lens aberrations / non linear external fields

"Deviations of the external fields from linear behavior will increase beam emittance."

### 3) Space charge forces

- \* **non linear internal field energy  
is transferred into emittance**

"Deviations of the internal fields from linear behavior (non homogenous net charge density distribution) will increase beam emittance."

- \***current fluctuations**

"Temporal variations of the space charge forces will increase the time integrated beam emittance."



# Emittance growth

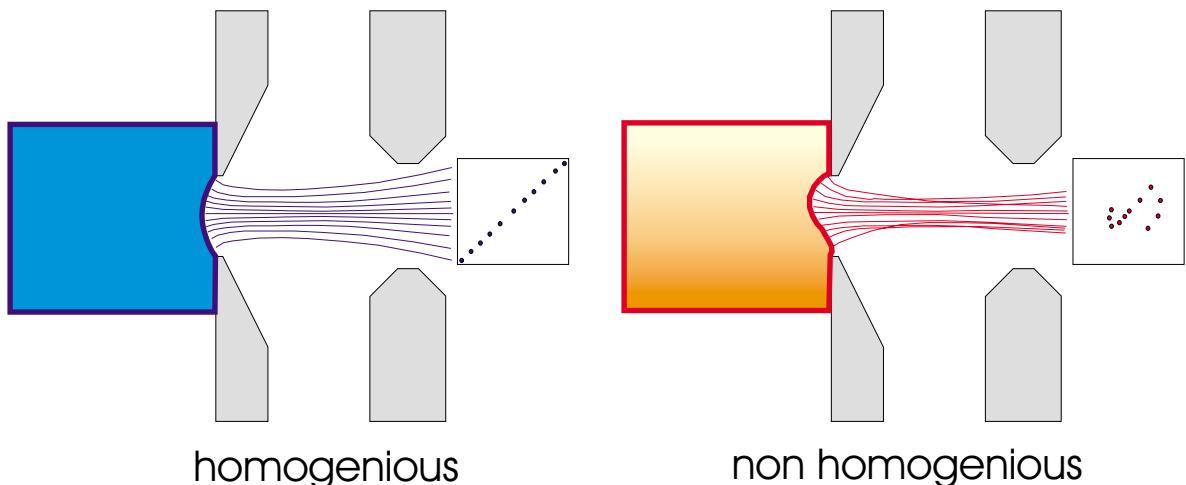
## 1. Source plasma / plasma sheeth

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\* plasma temperature / plasma potential

The kinetic energy distribution of the ions in the plasma is preserved in the beam extraction system and defining the minimum "source emittance"

\*plasma uniformity / plasma sheeth



Spatial variations of the plasma density  
(external or internal fields, wall effects, geometric reasons,...)  
will lead to emittance growth.

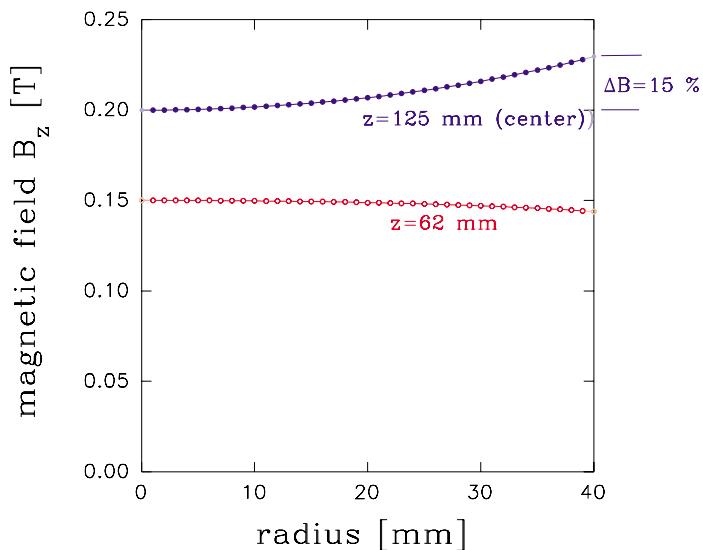
## 2. Lens aberrations

Deviations of the external fields  
from linear behavior

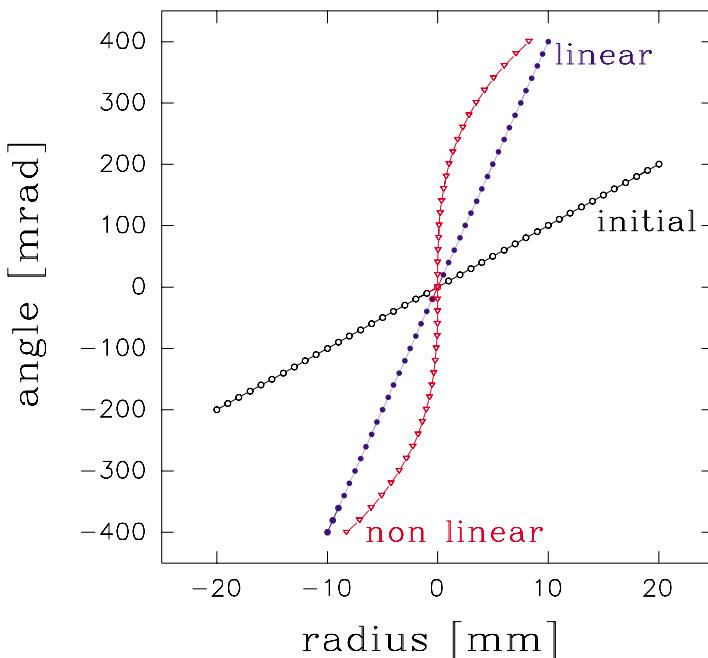
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$$F(r) \neq \text{const.} \cdot r$$

Frankfurt LEBT Solenoids



will increase beam emittance  
by redistribution of the beam ions





### 3. Space charge forces

non linear internal field energy  
defined by

$$W = \frac{\varepsilon_0}{2} \iint \vec{E}^2 dx dy$$

is transferred into emittance

$$\frac{\varepsilon_f}{\varepsilon_i} = \sqrt{1 + \frac{\langle x^2 \rangle K \Delta W_{nl}}{8 \varepsilon_i^2}}$$

where the gen. perveance is

$$K = \frac{I}{U^{3/2}} \sqrt{\frac{A}{\zeta}} \left( \frac{1}{4\sqrt{2}\pi\varepsilon_0} \sqrt{\frac{m}{e}} \right) \quad K = \frac{\Delta\Phi_{KV}}{U}$$

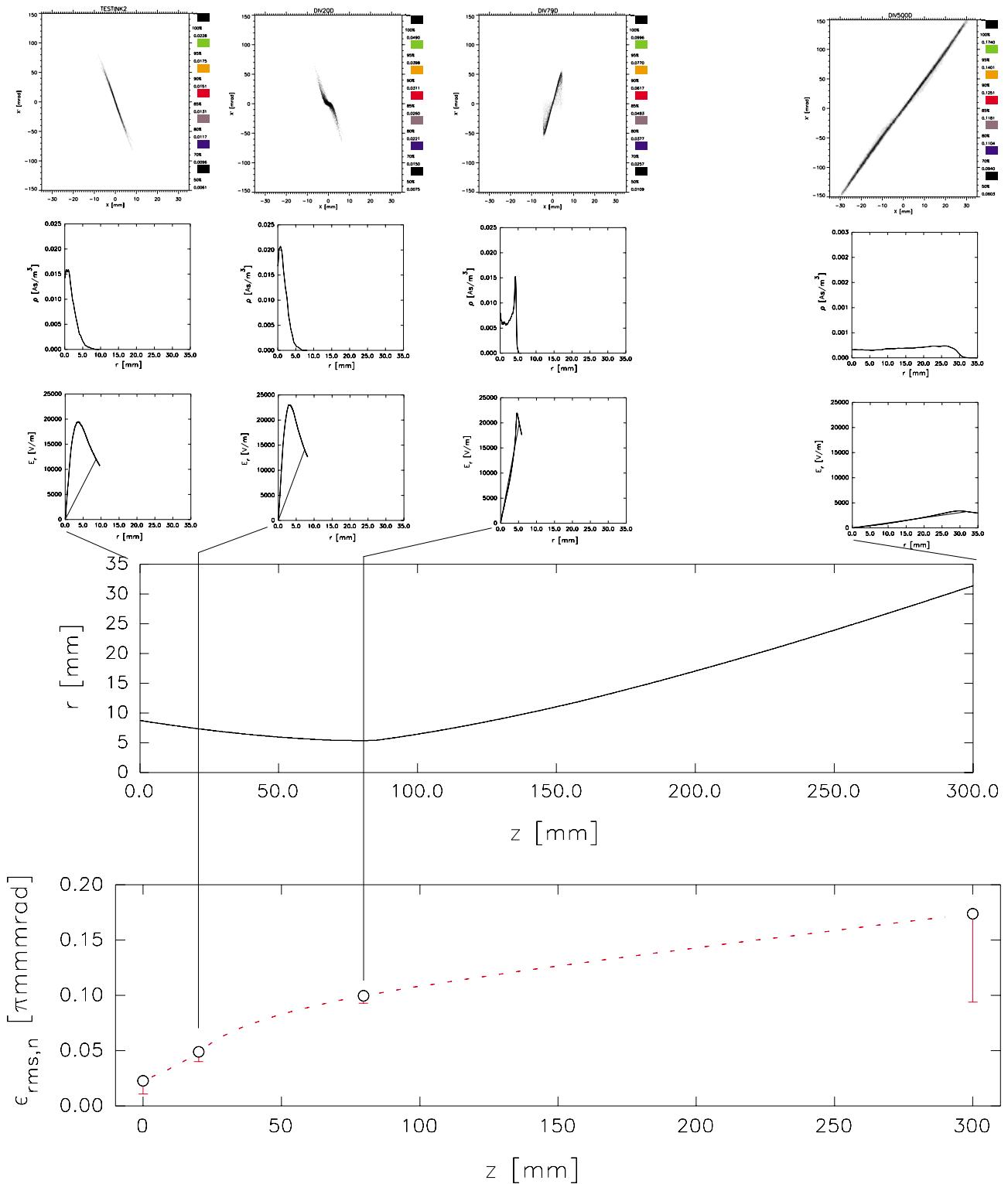
and the redistribution factor

nach von	KV	WB	PA	CO
WB	0.02240	0		
PA	0.04704	0.02640	0	
CO	0.05632	0.03392	0.00928	0
GA	0.15444	0.13204	0.10740	0.09808



# Example for $\varepsilon$ -growth by redistributions: Numerical simulation of a 300 mm drift ( H / 10 keV / 8 mA)

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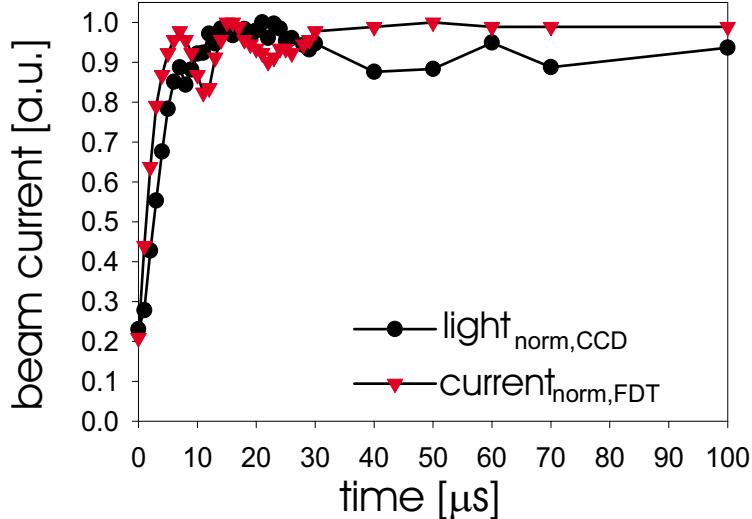




# Emittance growth by space charge fluctuations

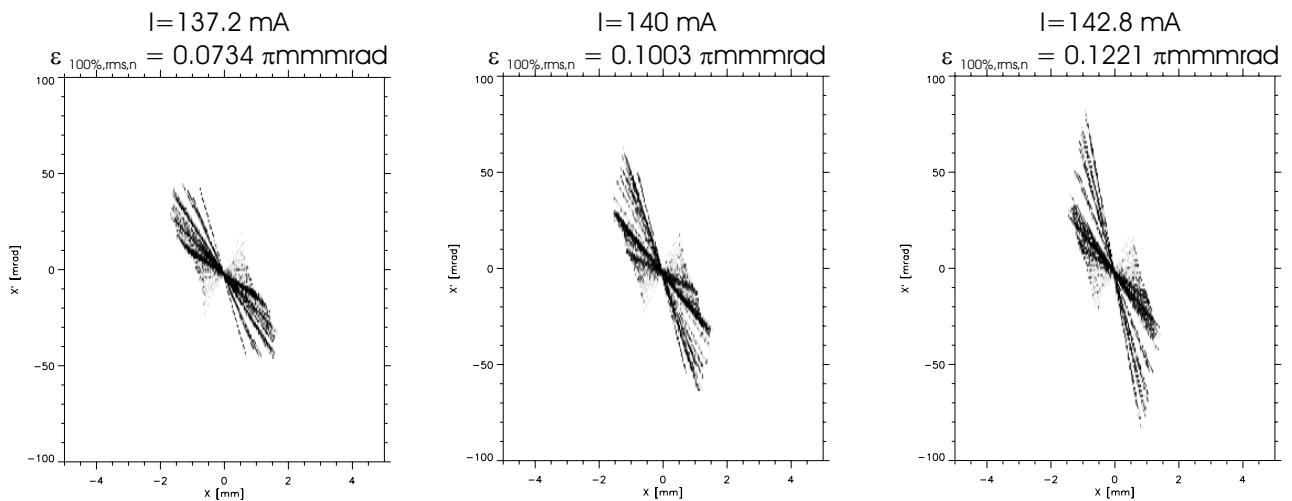
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current fluctuations (e.g. source noise, rise time of ion source, rise time of space charge compensation)



leads to varying space charge forces  
as a function of time and therefrom to a  
temporal rotation of the emittance in phase space.

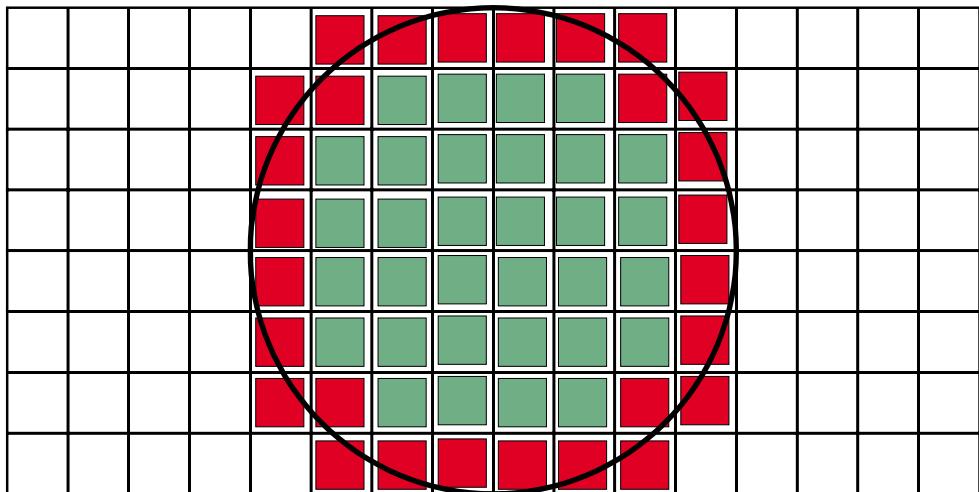
Example : IFMIF D<sup>+</sup>, 100 keV



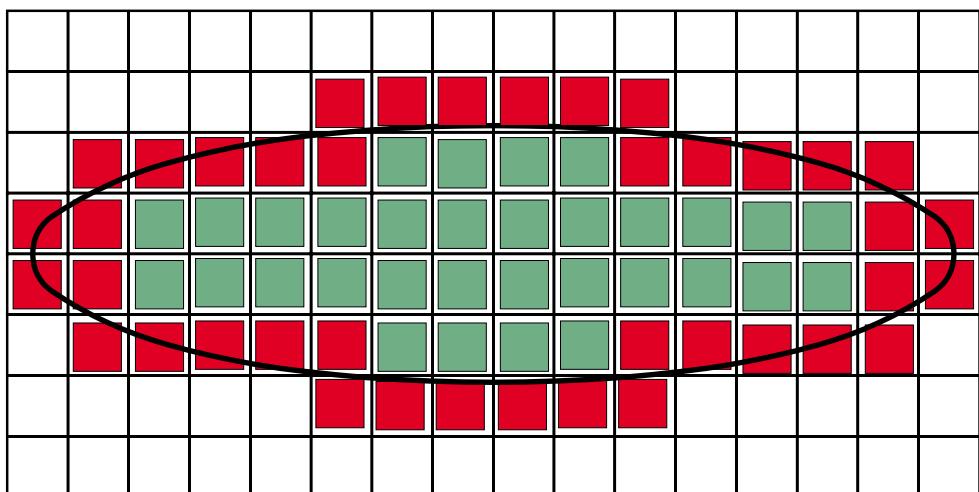
The time integrated emittance is growing.



# Artifical emittance growth due to discretisation



$$F_{\text{ges}} = \Delta F [32 + 28] = 60\Delta F$$



$$F_{\text{ges}} = \Delta F [32 + 40] = 72\Delta F$$



## Interactions between beam ions and residual gas

$$\text{Beam losses} \propto n_{RGA} \cdot \sigma_{WW}$$

cross sections for hydrogen ions (100 kV)  
on hydrogen residual gas

- residual gas ionisation by beamions  
 $2.26 \cdot 10^{-20} \text{ m}^2$

- charge exchange  
 $0.29 \cdot 10^{-20} \text{ m}^2$

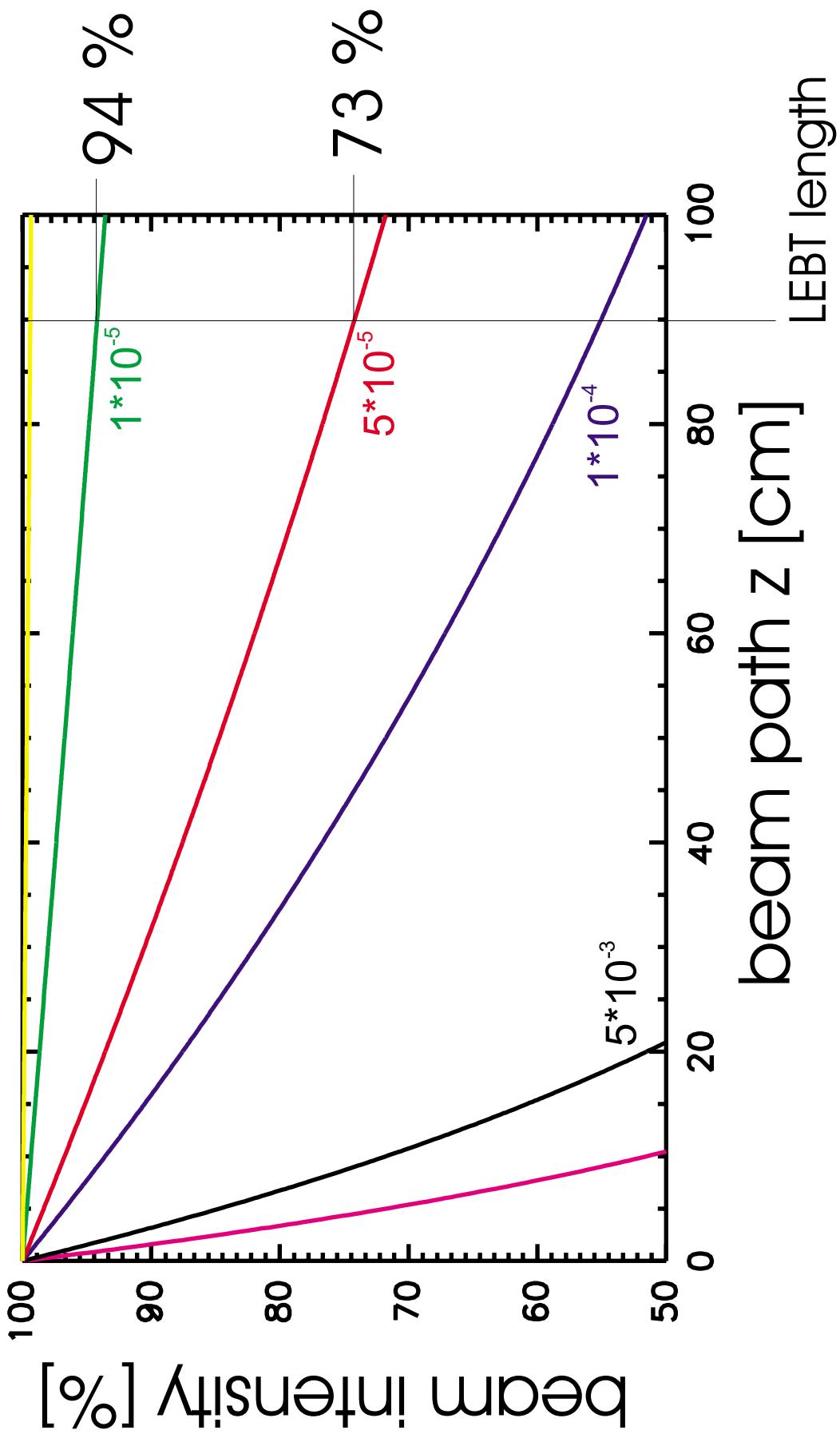
- residual gas ionisation by neutrals  
 $0.29 \cdot 10^{-20} \text{ m}^2$

and additional interactions  
(electron capture, scattering, ....).



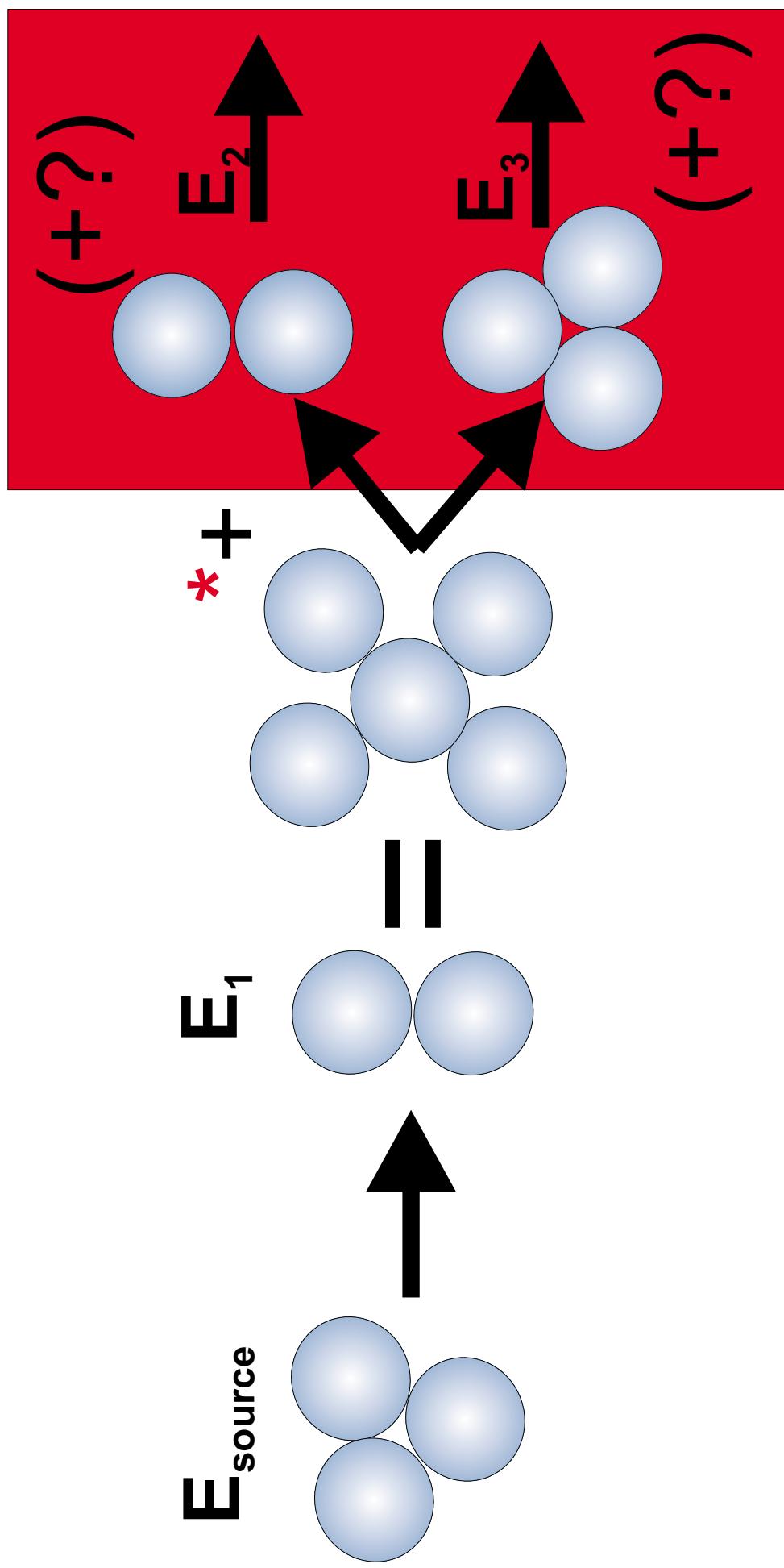
The transmission in the LEBT is due to the high gas pressure strongly influenced by interaction between residual gas and beam ions.

$H^- \rightarrow H_2(\text{ESS})$





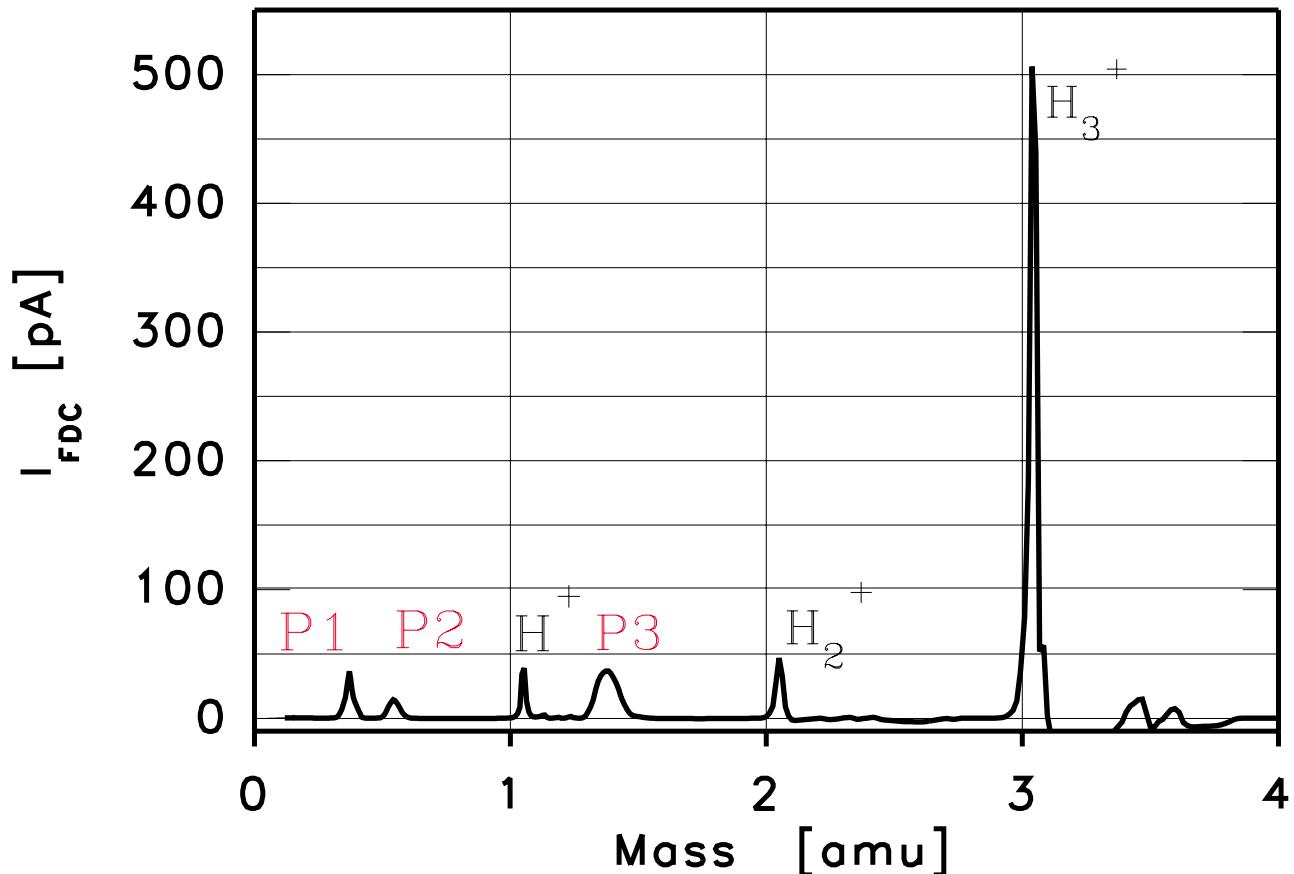
## Collisions between beam ions and residual gas atoms (molecules)





# Production of ions by interaction between residual gas atoms and beam ions

Measurement of the interaction between a  
beam of hydrogen ions (6 keV)  
and hydrogen residual gas atoms  
(longitudinal energy and cross section)



beam ions

$$H^+ - 6050 \text{ eV}$$

$$H_2^+ - 6047 \text{ eV}$$

$$H_3^+ - 6085 \text{ eV}$$

secondary ions

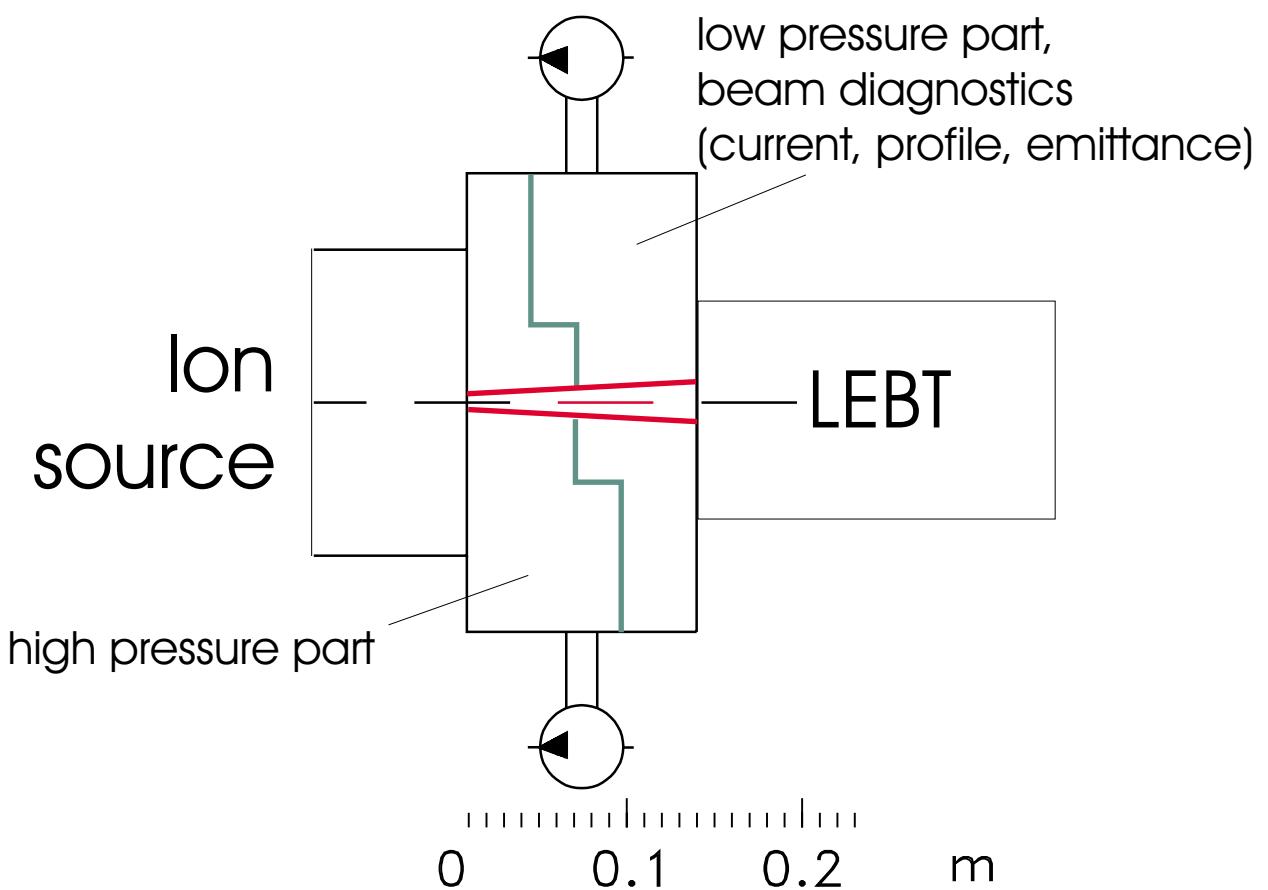
$$P1 = H^+ - 2100 \text{ eV}$$

$$P2 = H^+ - 3070 \text{ eV}$$

$$P3 = H_2^+ - 4030 \text{ eV}$$



To reduce particle losses due to interactions between residual gas and beam ions and to prevent high voltage breakdown due to high gas load (electrostatic LEBT or RFQ) the first diagnostic tank behind the source should include a differential pumping system.



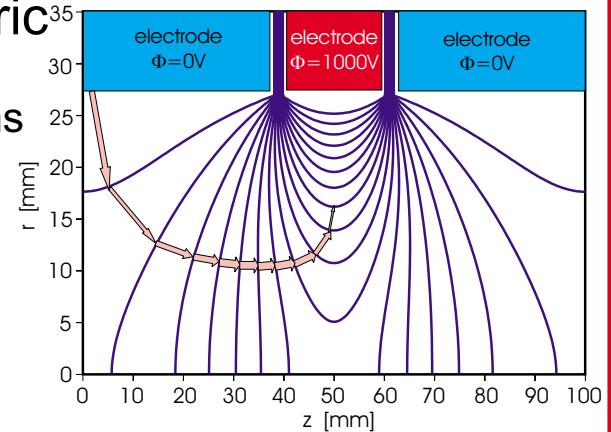


# Lenssystems

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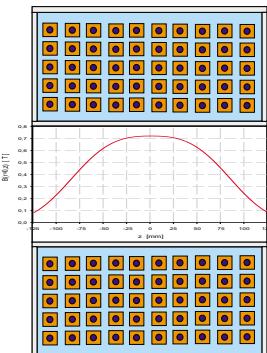
## \* electrostatic cylindersymmetric

- weak cylindersymmetric focussing
- deceleration / acceleration systems
- mass independent
- transportsystem is numerical accessible
- no space charge compensation
- medium investment costs
- HV-breakdown limit & availability



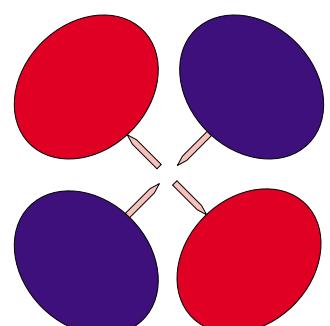
## \* solenoids

- weak cylindersymmetric focussing
- mass (velocity) dependency
- space charge compensation
- limited numerical access
- higher investment costs
- no HV-breakdowns (MTBF)



## \* electrostatic & magnetic quadrupols

- strong focussing in one plane  
(defocussing in the other)  
=> weak net focussing in tripllett  
but reduced fields compared  
with einzellenses & solenoids
- break of cylinder symmetry (space charge)  
can cause redistributions & emittancegrowth
- no consistent model of space charge compensation



## \* higher order fields (sextupols / octupols)

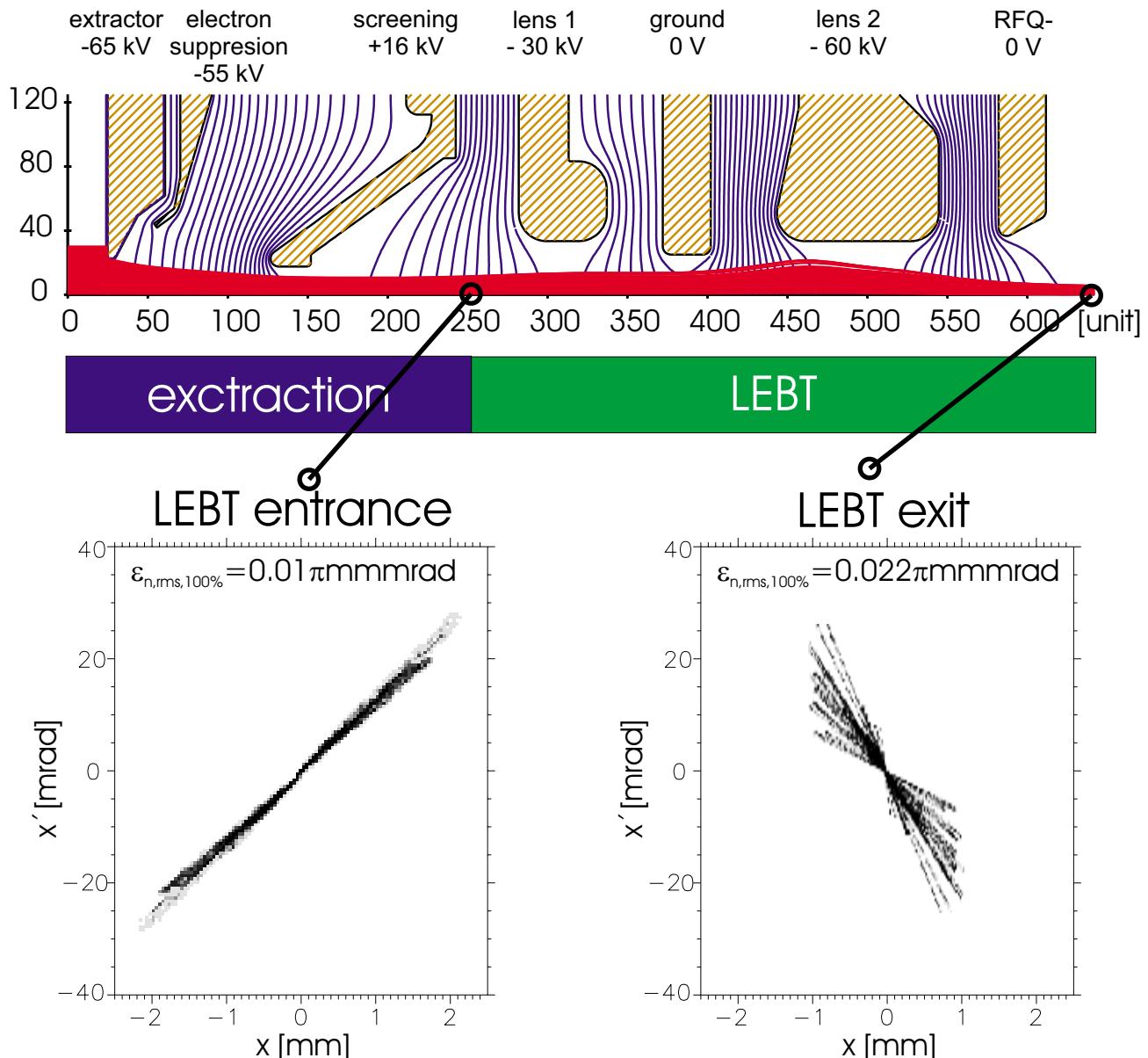
- \* Gabor lenses
- \* z- pinch lenses



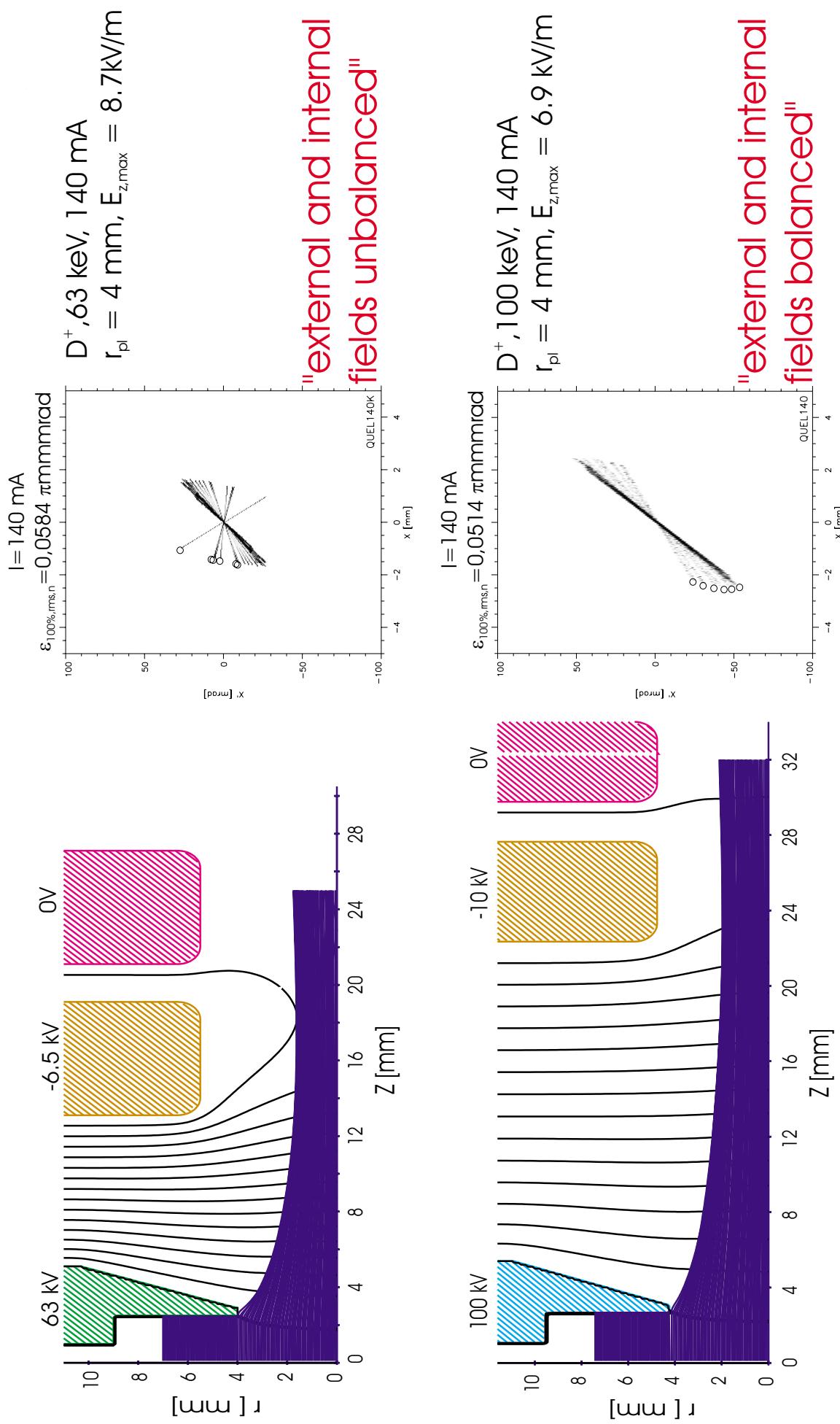
# Transport calculations for current upgrade of the SNS-LEBT

**H<sup>-</sup>, 70 mA , 65 keV**

(compound system including extraction, electron dumping, LEBT and steering)

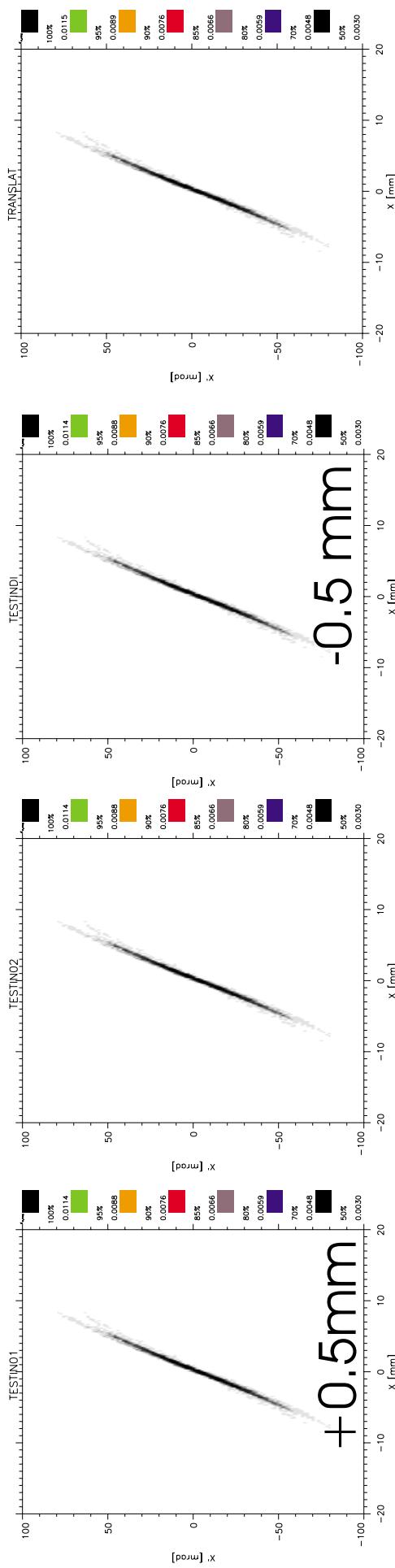


# Design of beam extraction and influence of space charge

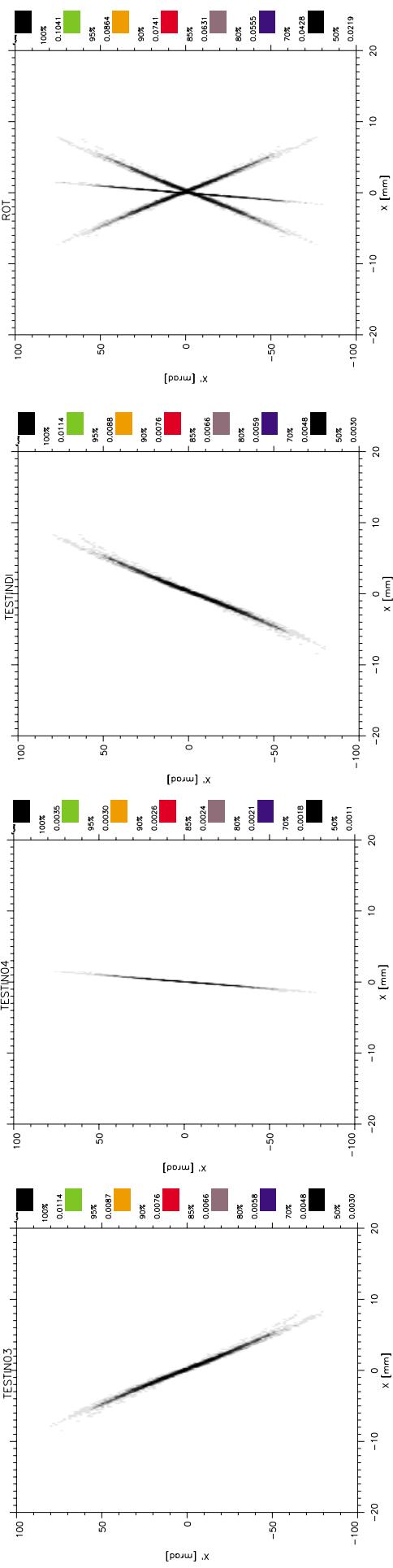


# Calculation of the influence of current fluctuations by superposition of individual particle distributions

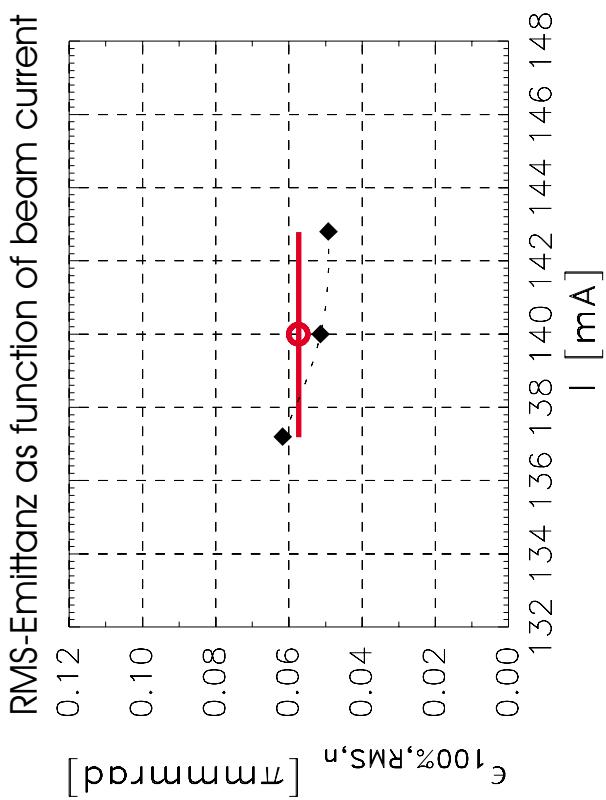
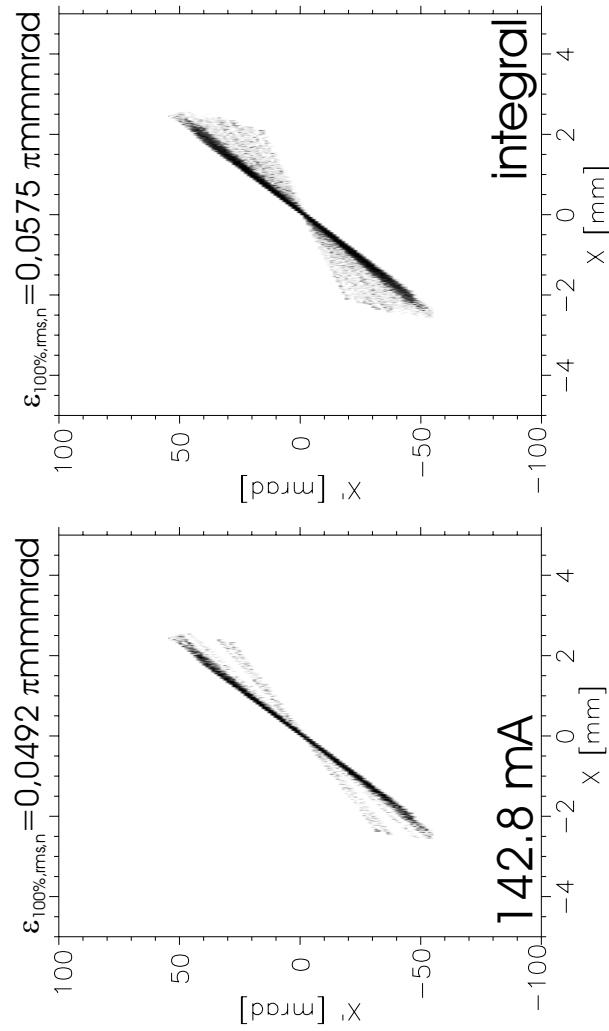
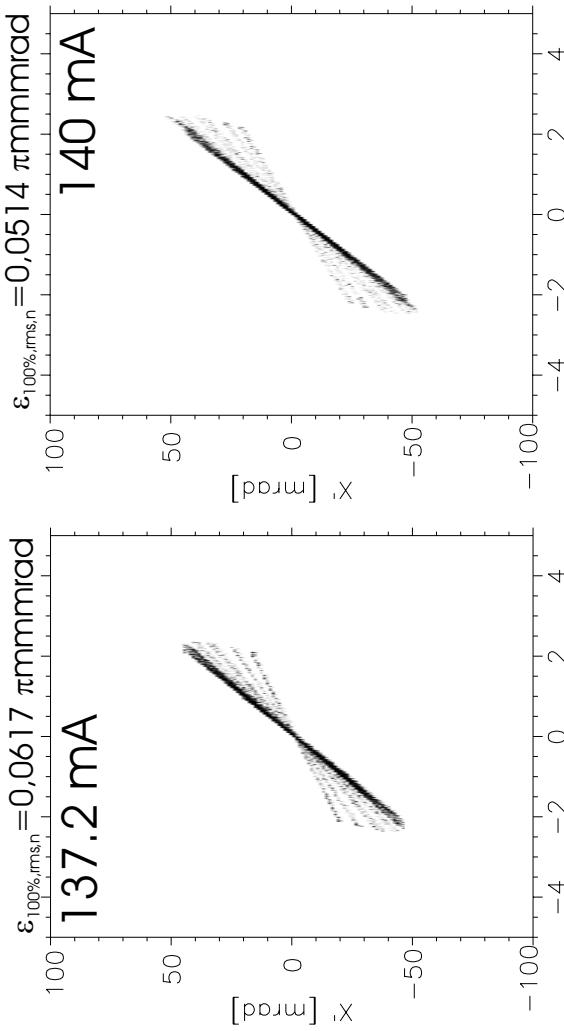
0.0114  
0.0114  
0.0114  
0.0114  
0.0035  
0.0114  
0.1041



0.0035  
0.0114  
0.0114



# Influence of source noise on beam extraction ( $I_N \pm 2\%$ )

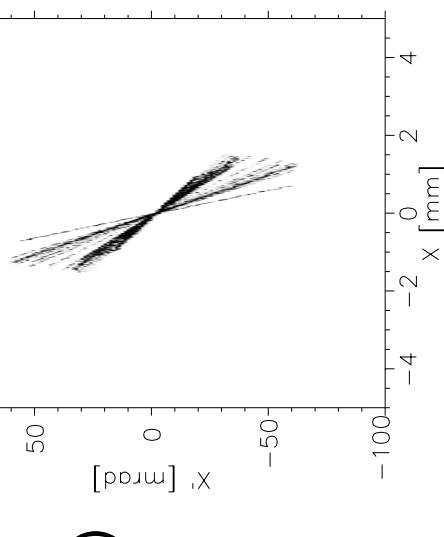
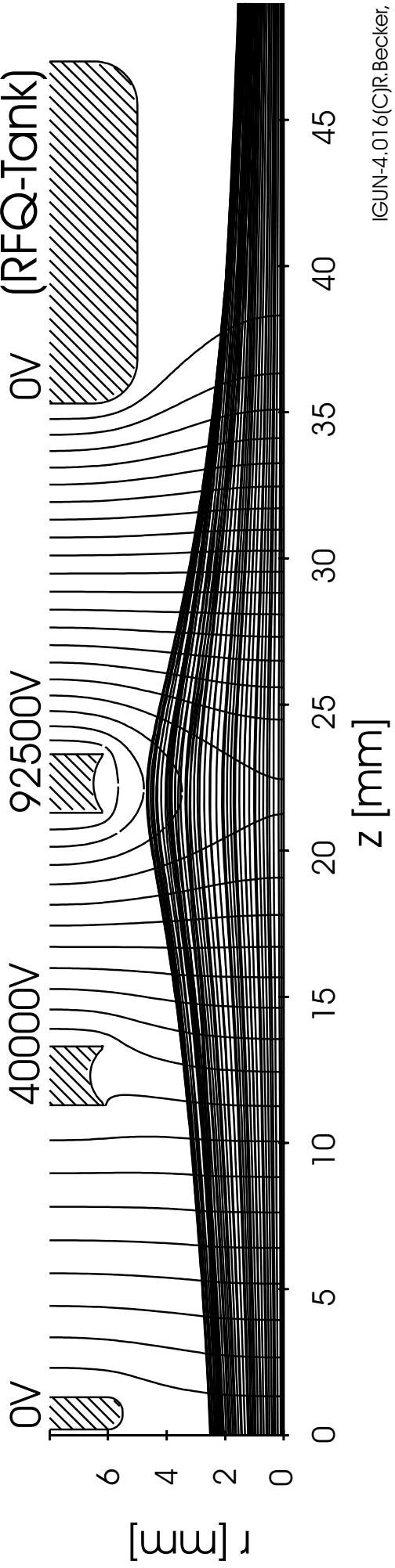


For the given geometry and an estimated current fluctuation of +/- 2% a variation of the RMS-emittance of 25 % was calculated. The time integrated emittance is 11 % larger than the design value



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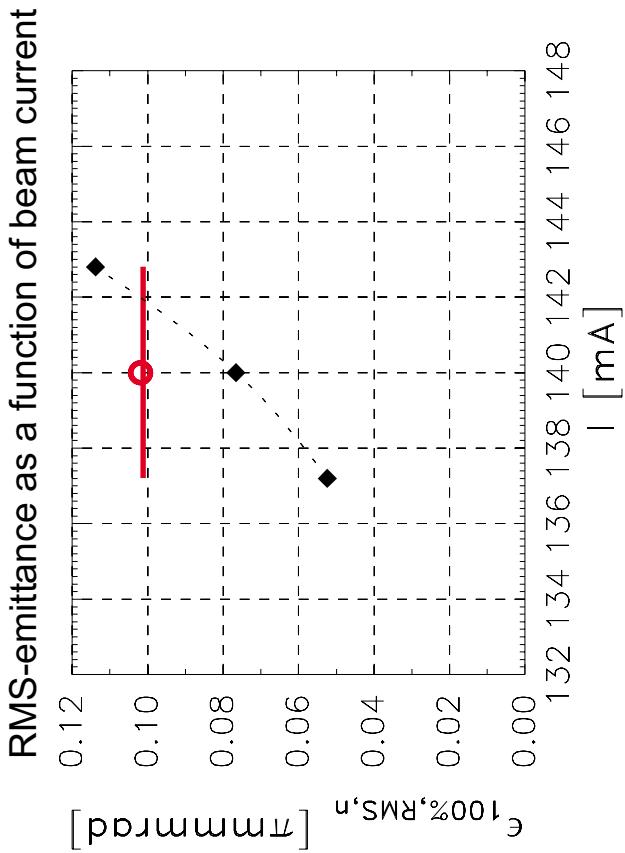
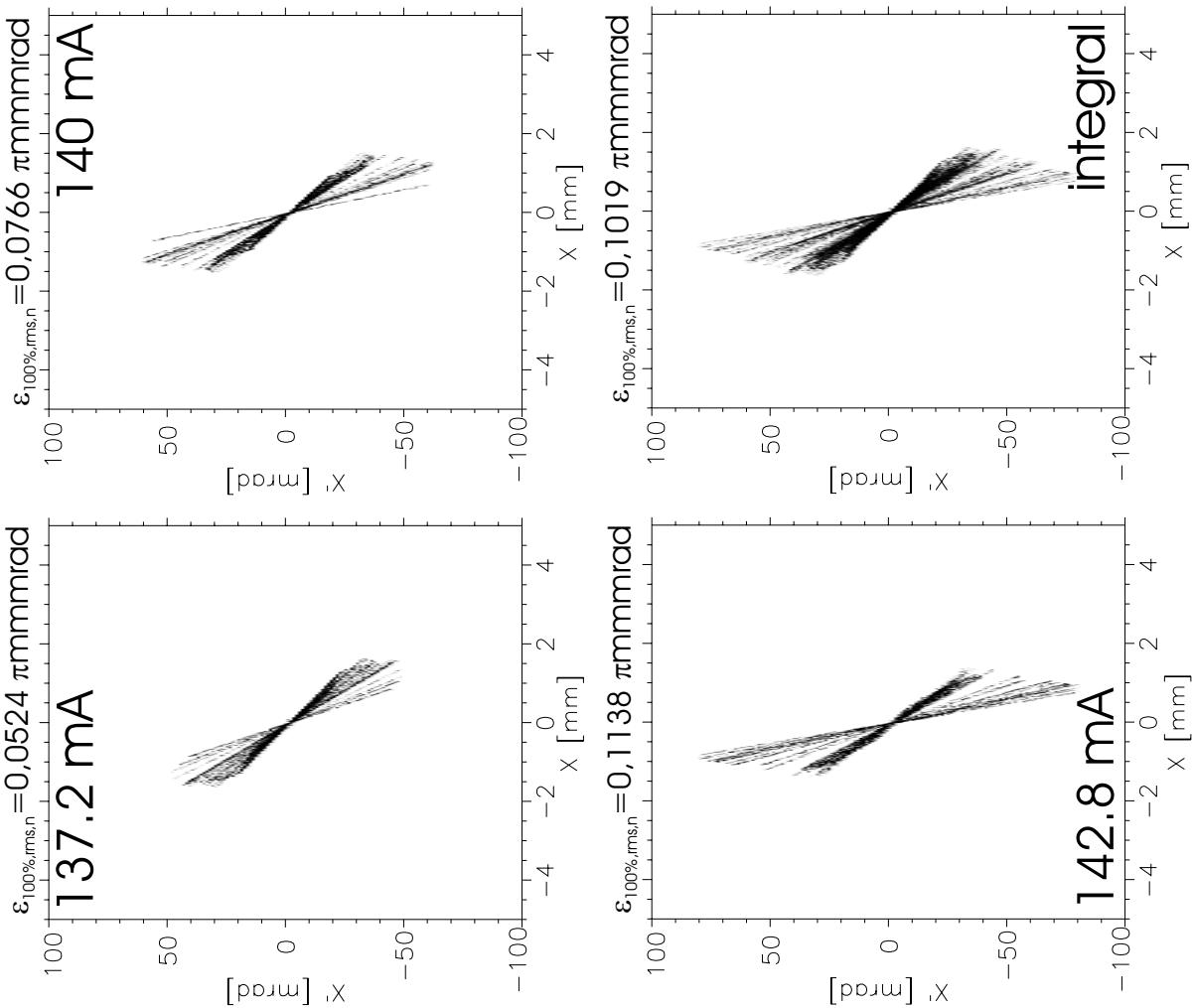
# Electrostatic transport system for IFMIF ( $D^+$ / 100 keV / 140 mA)



- Design considerations**
- due to space charge as short as possible (35mm)
  - to prevent HV-breakdown  $E_{z,\max} < 7.7 \text{ kV/mm}$
  - beam radius at injection : 1.5 mm
  - beam convergence at injection : 60 mrad
  - emittance growth app. 50 %



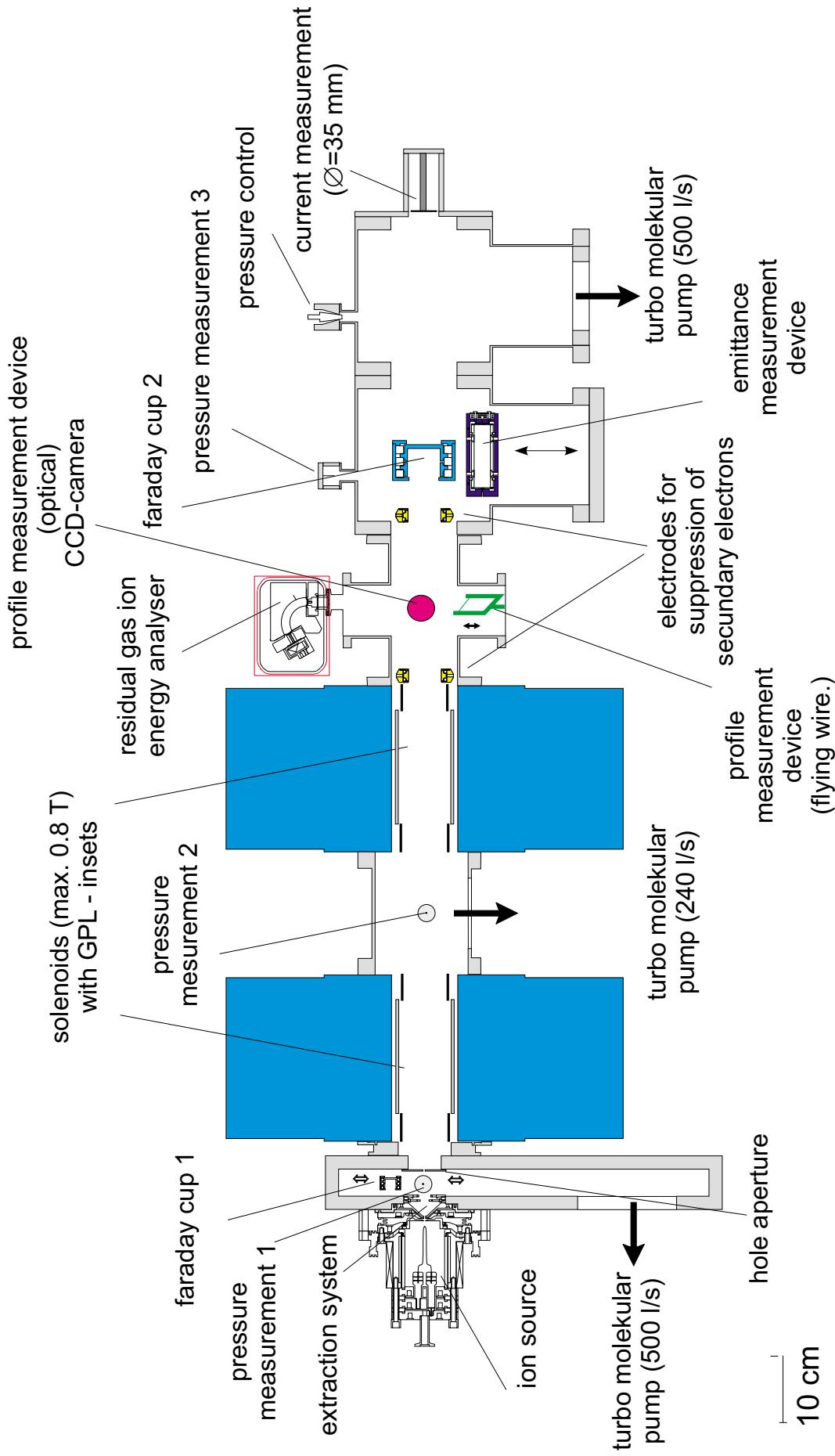
# Electrostatic transport including beam current fluctuations( $I_N \pm 2\%$ )



For a given geometry and an estimated current fluctuation of +/- 2% a variation of the RMS-emittance of 94 % was calculated (low current preferred). The time integrated emittance is 33 % larger than the design value.

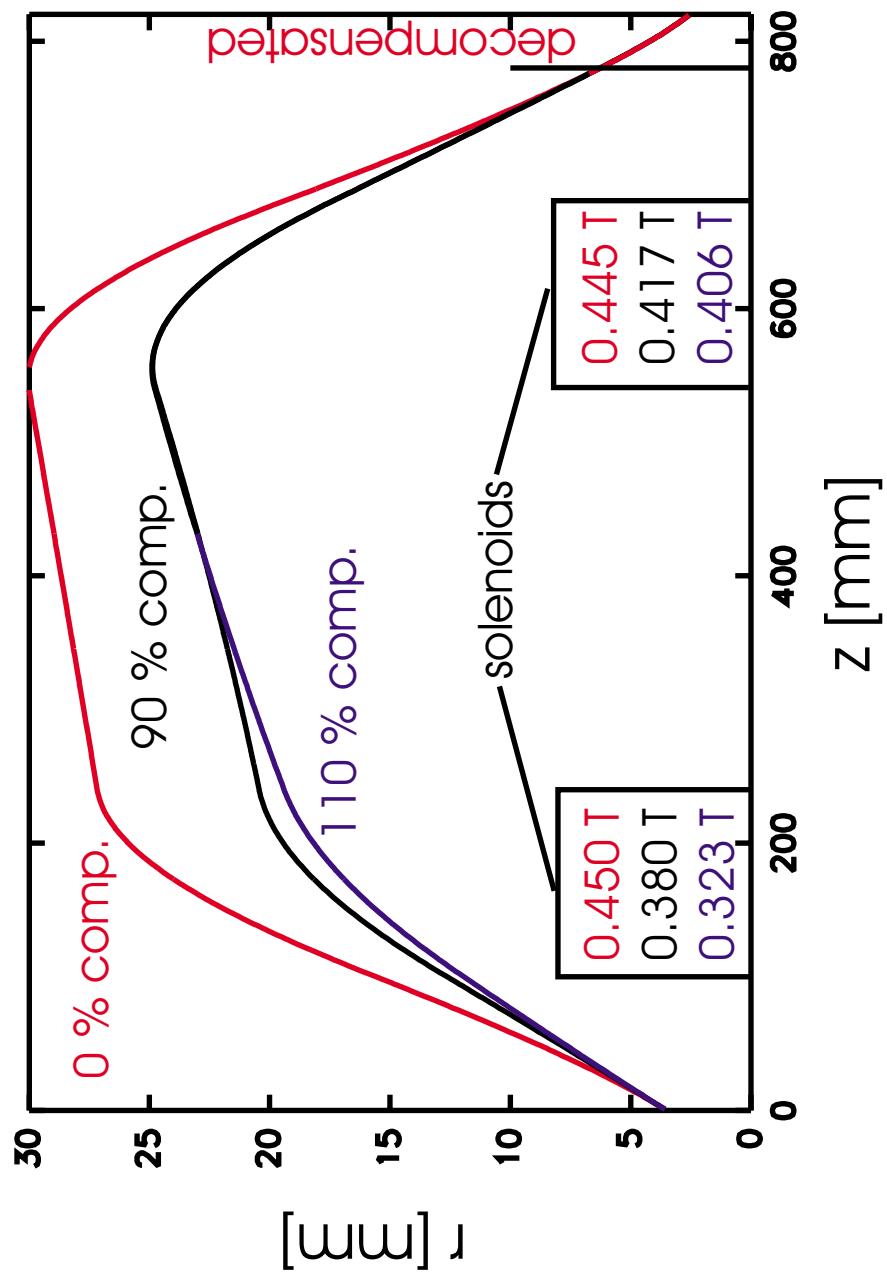


# Low Energy Beam Transport (LEBT) Section Experimental set up in Frankfurt





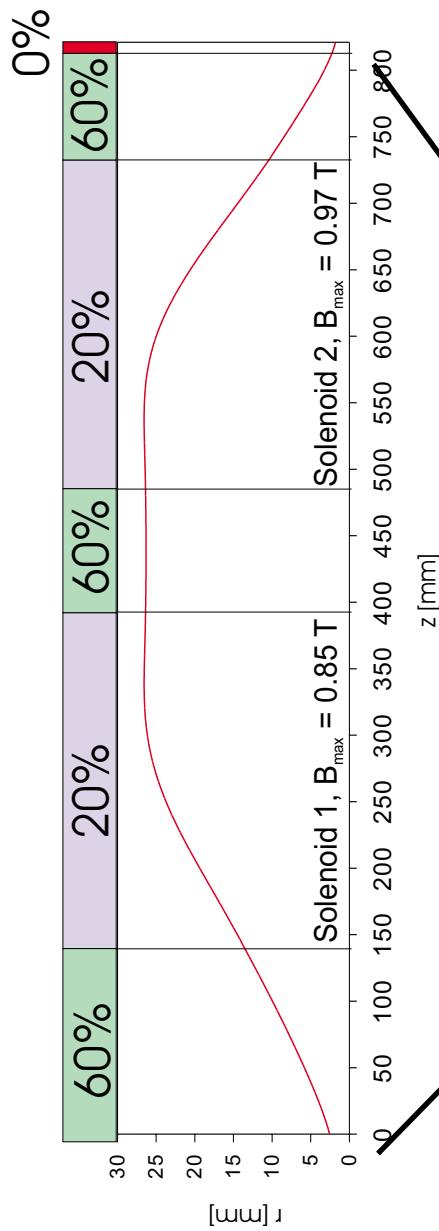
# Transport calculations for the ESS LEBT (H<sup>-</sup>, 55 keV, 70 mA) using the geometry of the Frankfurt set up



\* even for zero space charge compensation the beam parameters for RFQ injection can be reached with only 60 % of maximum field strength and a maximum degree of lens filling (aberrations) of 60 %.



# Beam transport calculation for IFMIF (D<sup>+</sup>, 100 keV, 140 mA) using a magnetic LEBT system with two solenoids and space charge compensation for transport



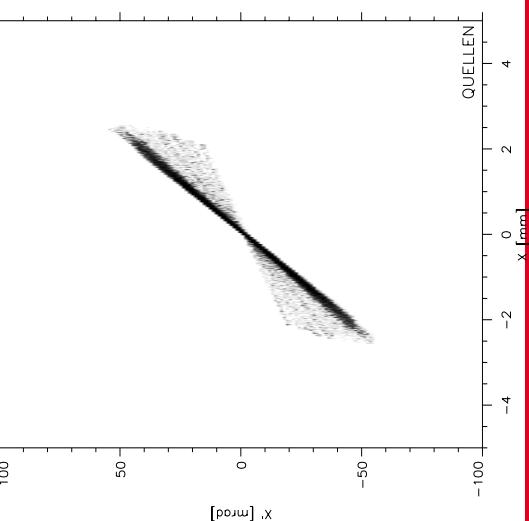
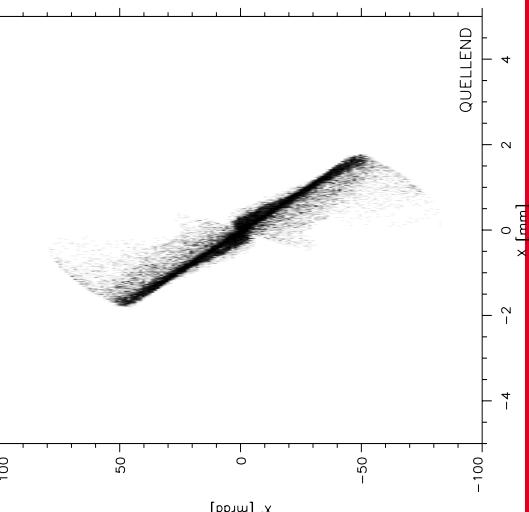
LEBT entrance

$$I = 140 \text{ mA} \pm 2\% \\ \epsilon_{100\%, \text{rms}, n} = 0,0575 \pi \text{mm mrad}$$

LEBT exit

$$I = 140 \text{ mA} \pm 2\% \\ \epsilon_{100\%, \text{rms}, n} = 0,0817 \pi \text{mm mrad}$$

Calculations include  
beam current fluctuations  
of **+/- 2 % at 100 kHz**  
and conservative estimations  
about the compensation degree:  
In the drift sections **60 %**,  
**20 %** inside the solenoids  
and **0 %** at the RFQ entrance.  
(worst case scenario! )

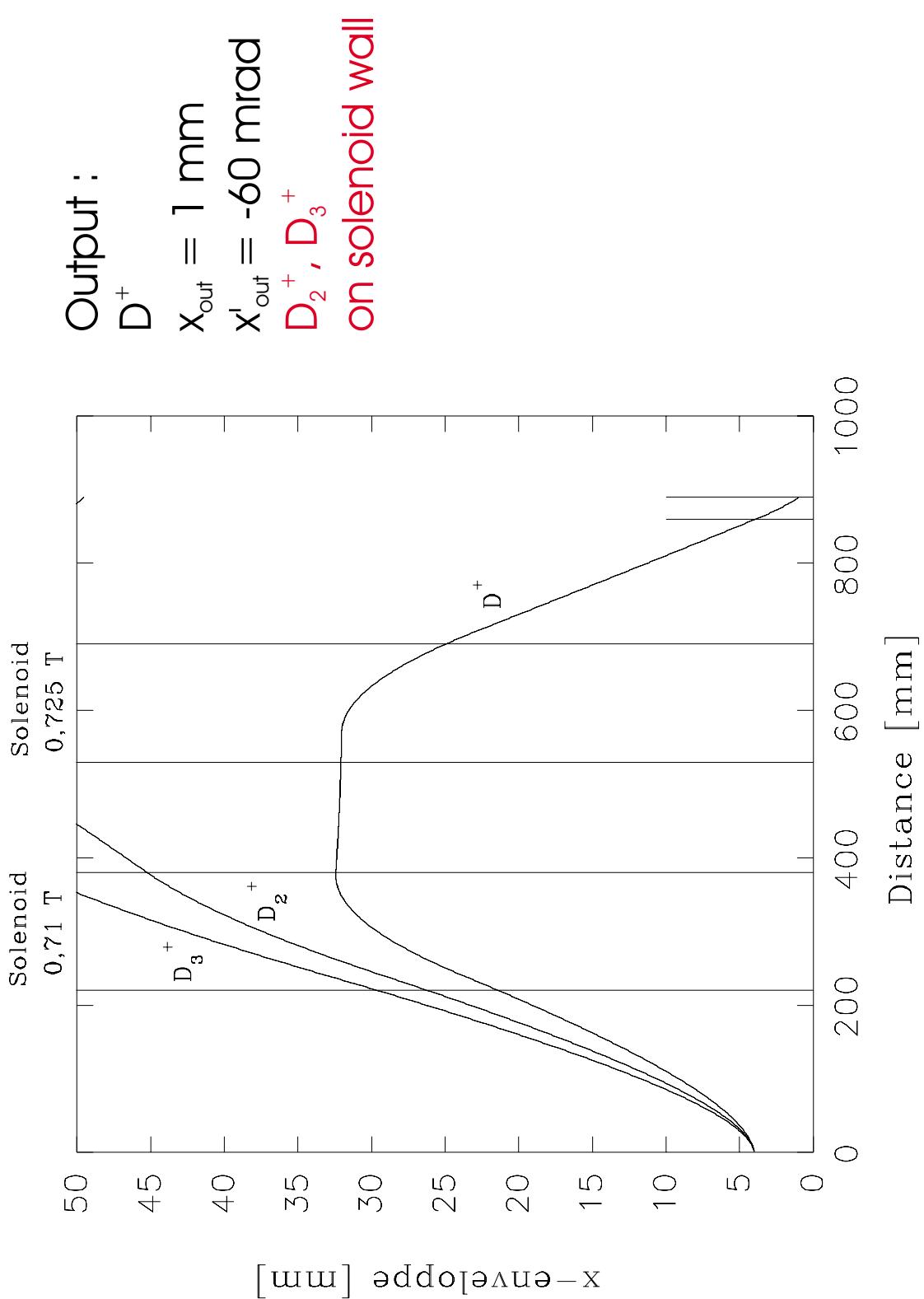




# Mass separation by use of solenoids calculated for IFMIF

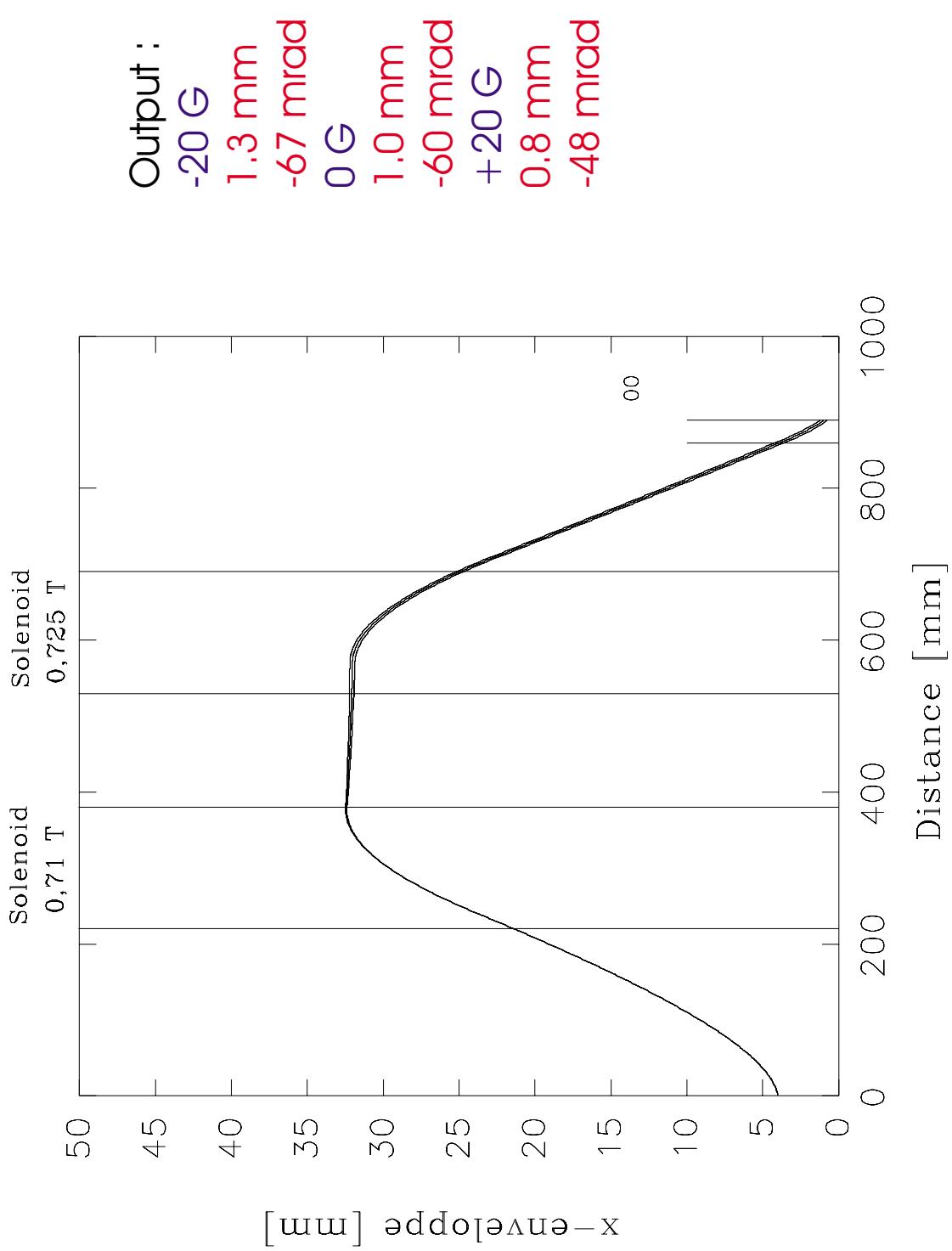
Input :

- $I = 140 \text{ mA}$
- $E = 100 \text{ keV}$
- $X_{in} = 4 \text{ mm}$
- $X'_{in} = 10 \text{ mrad}$
- $\epsilon_{in} = 0.07$



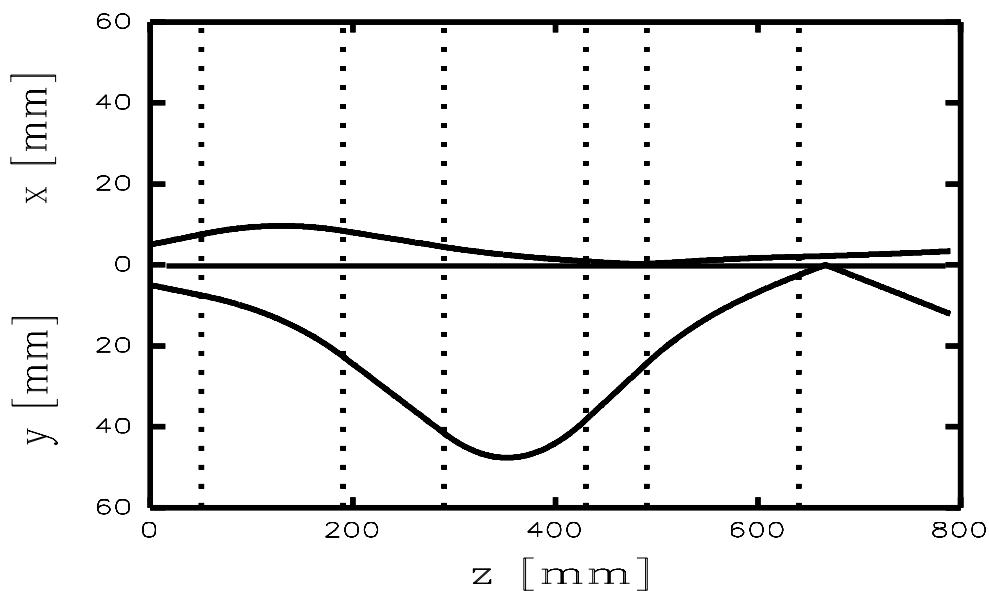
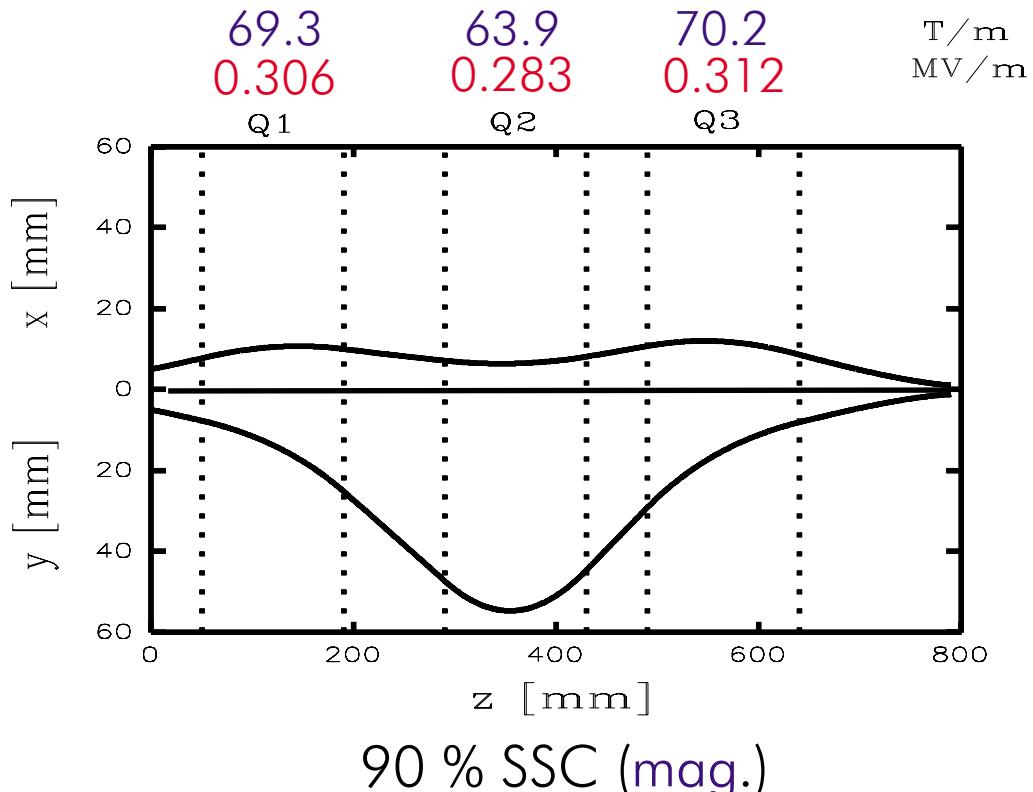


# Influence of variations of the magnetic field strength in the solenoids on injection into the RFQ (IFMIF parameters)





magnetic & electrostatic  
 LEBT consisting of quadrupole triplets  
 for an HIDIF injector  
 $(Bi^+, 209 \text{ keV}, 37 \text{ mA})$   
 0 % space charge compensation

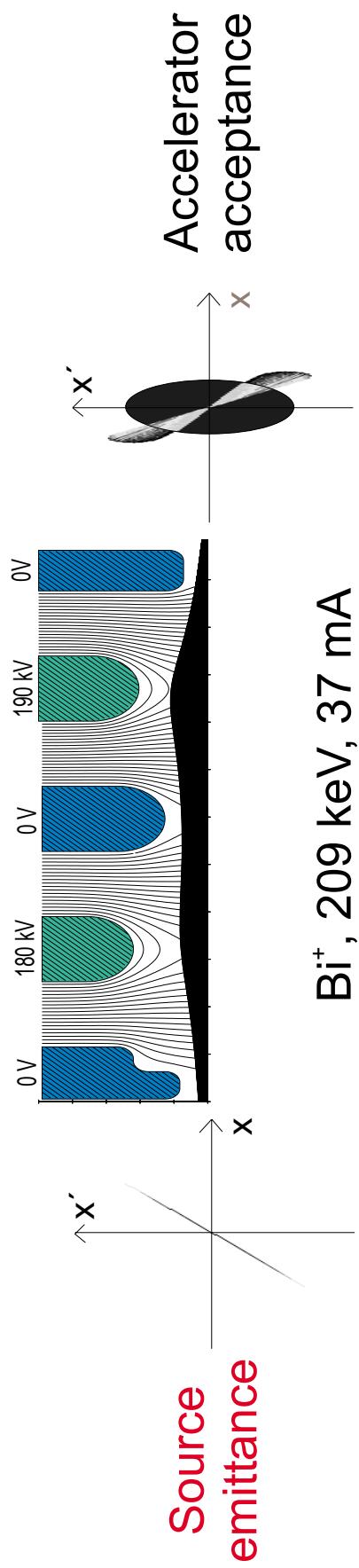
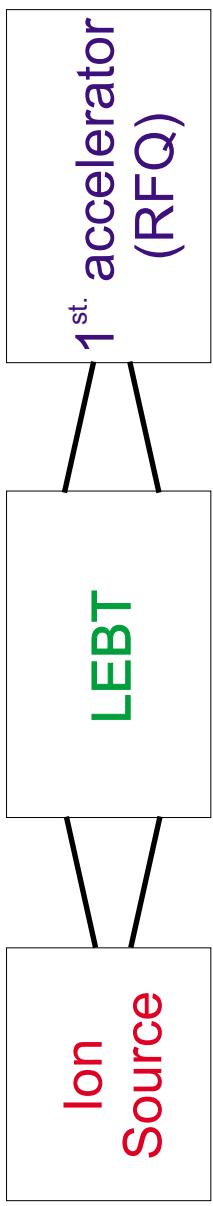




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## Conclusions 1

### Comparison of different LEBT sections for HIDIF



System	Number of lenses	mag. Field (T)	Electrode potential (kV)	Space charge compensation
el. einzellenses	2	---	> 190	no
el. quadrupols	3	---	> 90	no
solenoids	2	12.5	----	yes
mag. quadrupols	3	3.4	----	yes
GaborPlasma Lens	2	0.3	50	yes



## Summary :

No LEBT system  
(el. st. einzellenses, solenoids, quadrupols)  
can fulfill simultaneously all requirements  
for every beam.

my personal opinion is :

- 1) Electrostatic systems are in favor for medium energy beams and medium or low perveance (SNS is at the borderline)
- 2) Solenoids are preferable for high perveance low mass beams ( $A/q < 20$ )
- 3) Quadrupol LEBTS can handle all other problems (at higher investment costs)
- 4) for high masses and low charge state other systems might be favorable (Gabor lenses, z-pinch lenses) for future use.