Crosscheck & Error Studies in the LEBT Injector Beamline, a Summer Program Summary

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September the 2nd, 2014

#### Outline



- 2 Introduction to the Injector
- 3 Simulations in TraceWin
- 4 Optimisation in the realistic field model
- 5 Errorstudies in MadX

#### **Timetable Overview**

<u>Overview</u>



#### Introduction to the Injector Layout



- ECRIS Ion Sources for  ${}^{12}C^{4+}$  and  $H_3^+$
- beam energy 96 keV and 24 keV
- extraction voltage  $24\,\mathrm{kV}$
- extracted currents
  122 765 μA
- $\epsilon_{4rms} < 180\pi \,\mathrm{mm.mrad}$



learning how to use the beam optics code OpticsExpert by Garam Hahn (hard edge model, transport matrix simulations)



Output at the entrance of the RFQ:

transmission: 96.12 % emittance:  $\epsilon_{4rms} < 280\pi \,\mathrm{mm.mrad}$ 

 $\begin{aligned} &\alpha_{xx'} = \alpha_{yy'} = 0.601 \\ &\beta_{xx'} = \beta_{yy'} = 0.024 \\ &x = y = 1.04 \text{ mm} \end{aligned}$ 

#### Simulations in TraceWin

#### -Construct the Injector Beamlines in Tracewin -crosscheck simulations for the hard edge model



## Hard Edge Crosscheck Simulation Beamline 1



### Hard Edge Crosscheck Simulation Beamline 1



#### Hard Edge Crosscheck Simulation Beamline 1

	Optics Expert	TraceWin
$\alpha_{{\sf X}{\sf X}'}$	0.601	0.6592
$\beta_{xx'}$	0.024	0.0287
$\alpha_{{m v}{m v}'}$	0.601	0.7881
$\beta_{yy'}$	0.024	0.0299
norm $\epsilon_{\rm rms}^{\chi}$ [ $\pi$ mm.mrad]	0.2085	0.1786
$\epsilon_{rms}^{x}$ [ $\pi$ mm.mrad]	50.5	43.3
norm $\epsilon_{\rm rms}^{y}$ [ $\pi$ mm.mrad]	0.2085	0.1875
$\epsilon^y_{rms}$ [ $\pi$ mm.mrad]	50.5	45.5
losses	3.88 %	2.8%

# Hard Edge Crosscheck Simulation Beamline 2

	Optics Expert	TraceWin
$\alpha_{\mathbf{X}\mathbf{X}'}$	0.599	0.7407
$\beta_{xx'}$	0.024	0.0270
$\alpha_{\gamma\gamma'}$	0.599	0.7736
$\beta_{yy'}$	0.024	0.0265
<b>norm</b> $\epsilon_{\rm rms}^{x}$ [ $\pi$ mm.mrad]	0.2085	0.1853
$\epsilon^{x}_{rms}$ [ $\pi$ mm.mrad]	50.5	44.9
norm $\epsilon_{rms}^{y}$ [ $\pi$ mm.mrad]	0.2085	0.1852
$\epsilon^{y}_{rms}$ [ $\pi$ mm.mrad]	50.5	44.9
losses	2.6 %	1.6%

the beam transport, concerning losses and matching gave similar results

#### Realistic Field Model Crosscheck Simulations in TraceWin

To get a more meaningful result the realistic field model was implementet. Especially important concerning the solenoids



#### Realistic Field Model Crosscheck Simulations in TraceWin



#### Optimisation of Beamline 1 in the realistic field model

## The results obviously showed that one has to focus on the realistic field model to fit the beam envelope



OpticsExpert fields

optimised fields

#### Optimisation in the realistic field model

- optimisation studies took much calculation time
- yet there is no satisfying result
- one has to find the same mapping condition as in the hard edge model to change to more realistic fields
- or: setting up the beamline in the realistic model step by step

For time reasons we switched the objective to get some errorstudies in the hard edge model

 $\rightarrow$  Calculations with MadX

#### Errorstudies in MadX

#### Which error types had to be investigated?

- dynamic errors: field errors due to the current ripple of the magnet power supplies (not correctable)
- static errors: due to misalignment of the beamline components (correctable with kickers)

type	$\Delta x/mm$	$\Delta y / mm$	$\Delta s/mm$	$\Delta \Phi / mrad$	$\Delta\Theta/mrad$	$\Delta \Psi / mrad$	stability
Dipole	$\pm 0.5$	$\pm 0.5$	±0.3	$\pm 0.2$	$\pm 0.2$	$\pm 0.2$	50 ppm
Quadrupole	$\pm 0.3$	$\pm 0.3$	$\pm 0.5$	$\pm 0.2$	$\pm 0.2$	$\pm 0.2$	$200  \mathrm{ppm}$
Solenoid	$\pm 0.3$	$\pm 0.3$	$\pm 0.5$	$\pm 0.2$	$\pm 0.2$	$\pm 0.2$	200 ppm

#### Errorstudies in MadX

#### What is the purpose of the errorstudies?

- all errors influence the quality of matching into the RFQ
- the dynamic errorstudie shall determine the accuracy of the magnet power supplies
- in case of static errors the goal is to find a strategy how to use corrector magnets and beam monitors

#### Dynamic Error in MadX

- current beamline layouts were applied at first
- implementation of the dynamic error assignment for specific multipole orders (dipole,quadrupole) was debugged

 $\rightarrow$  the error of the quadrupole field has almost no influence, compared to the dipole  $\rightarrow$  stability turns out to generate a linear behaviour of beam center dislocation (beamline 1, beamline 2)

QPM stability	200 ppm	$400  \mathrm{ppm}$	800  ppm	$2000 \mathrm{ppm}$	200  ppm
DPM stability	50 ppm	$100  \mathrm{ppm}$	200  ppm	$500  \mathrm{ppm}$	$50 \mathrm{ppm}$
dx/mm	±0.02	$\pm 0.034$	$\pm 0.063$	$\pm 0.17$	$\pm 0.008$
dy/mm	$\pm 0.03$	$\pm 0.06$	$\pm 0.12$	$\pm 0.32$	$\pm 0.015$
dx′ / mrad	$\pm 0.26$	$\pm 0.49$	$\pm 0.93$	$\pm 2.47$	$\pm 0.33$
dy' / mrad	$\pm 0.45$	$\pm 0.87$	$\pm 0.174$	$\pm 4.66$	$\pm 0.60$

#### Dynamic Error in MadX

#### $\rightarrow \mbox{the power supply stability constraints in the KHIMA Handbook are fully sufficient$

#### uniformly errors in beamline 1







uniformly errors in beamline 2







#### Static Error in MadX gaussian errors in beamline 1, correction with single monitors



#### Static Error in MadX gaussian errors in beamline 1, first optimising approach with double monitors



#### What I have learned

- writing codes like OpticsExperts by themself gives a deeper insight than any documentation of existing codes
- it also provides a good tool to make fast layout estimation and quickly explain to your colleagues
- in this program I really applied the beam transport matrix theory I learned at university
- I got to know TraceWin much better than before, but it still needs practise for simulation strategies
- I learned MadX which gave me a good first introduction to relatively quick error estimations

### 여러분의 관심에 감사드립니다

Thank you for your attention and hospitality!

#### Acknowledgement

The team of KHIMA and especially Dr.Nam, Goni Jung, Garam Hahn, Dr.Kim, Prof.Dr.Podlech, Dr. Marcus Iberler, Daniel Noll, Malte Schwarz .....